# Corrigendum: Anderson localization and Mott insulator phase in the time domain 

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This Article contains typographical errors. In the Results section under subheading 'Mott insulator phase in the time domain.
"In order to describe behaviour of the interacting many-body system we may truncate the Hilbert space to a subspace spanned by Fock states $\left|n_{1}, \ldots, n_{s}\right\rangle$ where the occupied modes correspond to localized wave-packets $\psi_{j}$ moving along a $s$-resonant trajectory. Then, the many-body Floquet Hamiltonian reads

$$
\begin{equation*}
\hat{H}_{F} \approx-\frac{1}{2} \sum_{i=1}^{s}\left(J_{i} \hat{a}_{i+1}^{\dagger} \hat{a}_{i}+\text { h.c. }\right)+\frac{1}{2} \sum_{i, j=1}^{s} U_{i j} \hat{n}_{i} \hat{n}_{j}, \tag{2}
\end{equation*}
$$

where $\hat{a}_{i}$ and $\hat{a}_{i}^{\dagger}$ are bosonic anihilation and creation operators and $\hat{n}_{i}=\hat{a}_{i}^{\dagger} \hat{a}_{i}$. The coefficients $\left.U_{i j}=g_{0}\left\langle\left\langle\phi_{i}\right| \phi_{i} \phi_{j}^{*} \mid \phi_{j}\right\rangle\right\rangle$ describe interactions between particles that ocupy the same mode (for $i=j$ ) and between particles in different modes $(i \neq j)$."
should read:
"In order to describe behaviour of the interacting many-body system we may truncate the Hilbert space to a subspace spanned by Fock states $\left|n_{1}, \ldots, n_{s}\right\rangle$ where the occupied modes correspond to localized wave-packets $\phi_{j}$ moving along a $s$-resonant trajectory. Then, the many-body Floquet Hamiltonian reads

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\begin{equation*}
\hat{H}_{F} \approx-\frac{1}{2} \sum_{i=1}^{s}\left(J_{i} \hat{a}_{i+1}^{\dagger} \hat{a}_{i}+\text { h.c. }\right)+\frac{1}{2} \sum_{i, j=1}^{s} U_{i j} \hat{a}_{i}^{\dagger} \hat{a}_{j}^{\dagger} \hat{a}_{i} \hat{a}_{j}, \tag{2}
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where $\hat{a}_{i}$ and $\hat{a}_{i}^{\dagger}$ are bosonic anihilation and creation operators. The coefficients $\left.U_{i i}=g_{0}\left\langle\left\langle\phi_{i}\right| \phi_{i} \phi_{i}^{*} \mid \phi_{i}\right\rangle\right\rangle$ describe interactions between particles that occupy the same mode (for $i=j$ ) and $\left.U_{i j}=2 g_{0}\left\langle\left\langle\phi_{i}\right| \phi_{i} \phi_{j}^{*} \mid \phi_{j}\right\rangle\right\rangle$ between particles in different modes $(i \neq j)$."

In the Legend of Figure 2,
"Proper superpositions of the eigenstates allows one to extract 4 individual wave-packets, $\psi_{j}$, that are numbered in (a) and (b)."
should read:
"Proper superpositions of the eigenstates allows one to extract 4 individual wave-packets, $\phi_{j}$, that are numbered in (a) and (b)."

In the Legend of Figure 3,
"The coefficients $\alpha_{n}$, in $H^{\prime}$, are chosen so that the set of $\left.\left\langle\left\langle\phi_{j}\right| H^{\prime} \mid \phi_{j}\right\rangle\right\rangle$ reproduces a chosen set of numbers $E_{j}$, where $\psi_{j}$ 's are the wave-packets described in Fig. 2."
should read:
"The coefficients $\alpha_{n}$, in $H^{\prime}$, are chosen so that the set of $\left.\left\langle\left\langle\phi_{j}\right| H^{\prime} \mid \phi_{j}\right\rangle\right\rangle$ reproduces a chosen set of numbers $E_{j}$, where $\phi_{j}$ 's are the wave-packets described in Fig. 2."
and
"The wave-packets $\psi_{j}$ arrive at a given position $z$ in equidistant intervals in time, thus, the AL length in time is $l_{t}=l T$."
should read:
"The wave-packets $\phi_{j}$ arrive at a given position $z$ in equidistant intervals in time, thus, the AL length in time is $l_{t}=l T$."

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