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Analysis of the influence of shear-tensile resistance and rock-breaking effect of cutting holes

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In the process of drilling and blasting construction of large-cross-section tunnels, the layout of wedge-shaped cutting holes has a great influence on the effect of blasting. In this study, theoretical analysis and numerical simulation were used to assess the effect of different forms of cutting hole placement on blasting effectiveness. First, the fissure-inducing angle was proposed, a three-dimensional model of wedge-shaped cutting considering the effect of shear-tensile resistance was established, and theoretical analyses of cutting holes with different cutting angles and fissure-inducing angles were carried out. Second, the parameters of the Riedel–Hiermaier–Thoma model were determined based on the experimental data, and verified. Third, three-dimensional numerical models were established, and analyze the influence of different forms of hole deployment on the blasting effect from the perspective of stress wave propagation and dynamic damage to the surrounding rock. Finally, based on the theoretical analysis and numerical simulation results, the wedge-shaped hollowing holes were re-designed, and 20 tunnel blasting tests were carried out using this deployment method for large-section tunnel blasting, which verified the feasibility of this deployment method. The results of the study show that for level III surrounding rock, the angle of wedge-shaped cutting holes should meet $68^\circ \leq \theta \leq 70^\circ$ and $70^\circ \leq \beta \leq 72^\circ$. This study provides a kind of refined and efficient blasting for the drilling and blasting excavation process of large section tunnels.

Keywords Large-cross-section tunnels, Cutting blasting, Stress wave propagation, Dynamic damage to surrounding rock

Rapid economic growth has led to a continuous increase in the demand for road transportation, and traditional small-cross-section tunnels have poorly met the growing demand for transportation^{1,2}. Large-cross-section tunnels are often bored via wedge-shaped cutting hole blasting to improve boring efficiency, increase cycle footage and ensure molding^{3–5}. However, wedge-shaped cutting blasting has strict requirements on the placement of gun-holes, and unreasonable placement of cutting holes results in incomplete throwing of the rock in the slot cavity and a high rate of large pieces and affects the effectiveness of the subsequent blasting and the cyclic footage⁶. Therefore, the study of wedge-shaped cutting holes for specific surrounding rock levels has important engineering value for large-cross-section tunnel blasting.

In recent years, many scholars have conducted a large number of studies on wedge-shaped cutting blasting and achieved fruitful academic results. For example, Dai and Du⁷ proposed a method for calculating wedge cutting blasting parameters such as the distance between holes, the spacing between the bottoms of the holes and the charge of the cutting holes. Wang et al.⁸ used a simplified mechanical model to study the mechanism of cavity formation. Cheng et al.⁹ investigated the effect of explosive diameter on the destruction range and cutting space and verified that increasing the hole diameter and explosive diameter can effectively improve the utilization rate of gun-holes through on-site tests. Ding et al.¹⁰ studied the mechanical mechanism of orifice blasting and conducted tests with different forms of cutting blasting and proposed that under the condition of a weak coal rock body, when the depth of the hole exceeds 1.8m, the utilization of rock folder is significantly increased. Pu et al.¹¹

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obtained the factors affecting the effect of wedge-shaped cutting blasting through model tests and pointed out that the cutting angle is the main factor affecting the blasting effect. Yang et al.¹² studied the influence of wedge cutting hole cutting angle on the cutting effect based on the model test data and proposed the optimal cutting angle.

During on-site tests, the blasting process is complex and extremely fast, the interference generated by the surrounding environment is not easy to exclude, the test period is long, the research cost is high, and the theoretical calculations can only solve some simplified problems^{13,14}. With the rapid development of computer numerical simulation technology, numerical simulation has become a common method to study tunnel blasting. Hu et al.¹⁵ demonstrated the effectiveness of wedge cutting blasting in blasting excavation by adding a rock damage criterion to the finite element analysis software ANSYS/LS-DYNA. Meng et al.¹⁶ established a mechanical model of large diameter cut straight hole cutting blasting and verified the feasibility by numerical simulation. Cheng et al.¹⁷ simulated the propagation of the stress wave of wedge cutting blasting with different explosive diameters and revealed the effect of the law of explosive diameter on the stress distribution characteristics.

Qi et al.¹⁸ proposed the deployment of cutting holes and high-energy holes to solve the problem of inefficient tunnel boring.

Liu et al.¹⁹ analyzed the influence of different cutting angles on the blasting effect over three angles of stress wave propagation, the dynamic damage of surrounding rock and the evolution of the slot cavity based on the theory of wedge cutting rock breaking; combined with use of the finite element analysis software ANSYS/LS-DYNA, they proposed that the optimal cutting angle of level III surrounding rock is 60°.

At present, many studies have been carried out on parameters such as wedge cutting angle in terms of theoretical analysis, modeling tests and numerical simulation, but the coupled effect of cutting angle and fissure-inducing angle (The angle between the line connecting the center of a single-row wedge-shaped cutting holes on the tunnel face and the horizontal plane) on the blasting effect has not been reported. On-site tests have shown that the angle of placement of the cutting holes has an important influence on the effectiveness of blasting. For this reason, this paper is based on the wedge cutting blasting rock breaking mechanism, combined with mechanical tests, numerical simulation and on-site tests, and puts forward the best fissure-inducing angle of wedge cutting for large-cross-section tunnels with III perimeter rock. Take Tongliang–Anyue Expressway in Bayue Mountain I as an example; according to the real parameters of the site rock, a three-dimensional numerical model of 60°–80° cutting angle and 70°–90° fissure-inducing angle was established to analyze the blasting effect under different combinations of cutting angle and fissure-inducing angle. In order to verify the feasibility and potential popularization of the cutting hole deployment method proposed in this paper, 10 tunnel blasting tests were carried out in the Bayue Mountain Tunnel and the Gonghe Village Tunnel. The results of this study are intended to provide a refined and efficient blasting method for similar projects.

Theoretical analysis

Determination of physical parameters of surrounding rock

The Bayue Mountain Tunnel site area rocks are mainly limestone, and the surrounding rock level belongs to III, as shown in Fig. 1. Surrounding rock samples were taken from the construction site, and in order to avoid differences in the composition and structure of the rock samples, all test specimens were taken from the same rock mass, and according to the requirements of the International Society of Rock Mechanics²⁰, the rock was made into standard specimens of 50 mm × 100 mm and 50 mm × 50 mm to carry out the uniaxial compression test, three-axial compression test and Brazilian cleavage test as shown in Fig. 2. The experimental results are shown in Tables 1 and 2.

Surrounding rock level	Densities/(kg·m ⁻³)	Uniaxial compressive strength/MPa	Tensile strength/MPa	Modulus of elasticity/GPa	longitudinal wave velocity/(m·s ⁻¹)	Poisson's ratio
III	2645	107.02	2.43	20.4	4153	0.28

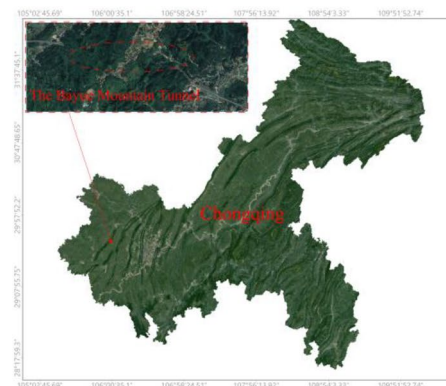
Table 1. Physical and mechanical parameters of level III surrounding rock.

$\sigma_2 = \sigma_3$ (MPa)	σ_1 (MPa)	P_0^*	σ_f^*
0	107.02	0.33	1.00
5	148.38	0.49	1.34
10	172.64	0.60	1.52
15	204.69	0.73	1.77
20	234.74	0.86	2.01
25	255.50	0.95	2.15
30	278.25	1.05	2.32
35	299.98	1.15	2.48
40	315.71	1.23	2.58

Table 2. Parameters of limestone compressive strength under different confining pressure.

Cutting angle and fissure-inducing angle determination method

Jun Dai²¹ proposed an expression for calculating the radius of the fracture zone:



(a) Geographic location map



(b) The Bayue Mountain Tunnel entrance

Figure 1. The Bayue mountain tunnel.



(a) Rock samples



(b) Uniaxial compression

(c) Triaxial compression

(d) Brazilian splitting

Figure 2. Static tests.

$$R_T = R_c \left(\frac{\sigma_{cd}}{\sigma_{td}} \right)^{1/\beta} = r_b \left(\frac{P_d A}{\sqrt{2} \sigma_{cd}} \right)^{1/\alpha} \left(\frac{\sigma_{cd}}{\sigma_{td}} \right)^{1/\beta} \tag{1}$$

where $A = [(1 + \lambda)^2 + (1 + \lambda^2) - 2\mu(1 - \mu)(1 - \lambda)^2]^{1/2}$. β is the fissure zone attenuation index, $\beta = 2 - \mu/(1 - \mu)$.

Existing studies have shown that, in order to ensure the effectiveness of cutting without causing damage to the preserved rock outside the tunnel design contour, the distance from the cutting hole to the tunnel design contour is greater than or equal to the radius of the fissure zone R_T , and the spacing of the chambers at the bottom of the hollowing hole is less than or equal to two times the radius of the fissure zone R_T ^{22,23}.

Confining pressure damage mainly occurred in the form of shear action parallel to the free surface of the tensile damage when blasting action upon the rock, as a sum of the shear and tensile force, was greater than the ultimate shear and tensile strength of the rock, resulting in damage to the rock. Figure 3 is a three-dimensional model of wedge-shaped cutting, with face ABDC indicating the free surface, the red dotted line indicating the cutting holes, each cycle of the depth $L = 3$ m, the number of holes in each row $n = 8$ and the cutting holes spacing $a = 0.4$ m. In this paper, we chose No. 2 emulsion explosives for the calculation of the explosive density of $\rho_0 = 1240$ kg·m³, with bursting speed $D = 4200$ m/s, the diameter of the holes $d_b = 42$ mm, the length of the charge of 2.4 m, and the length of the charge $R_T = 2.8$ m. In order to push the cutting holes outward as far as possible, the lower row of cutting holes cavity spacing $d = 2 R_T = 5.6$ m.

The shear resistance of face $A_1B_1B_2A_2$ is:

$$Q_{A_1B_1B_2A_2} = (c + \sigma_1 \tan \varphi) \left[d - 2(n - 1)a \cos \beta - \frac{L}{\tan \theta} \right] L \tag{2}$$

where c is the cohesion of the rock. φ is the angle of internal friction of the rock. σ_1 is the positive stress on the face $A_1B_1B_2A_2$, $\sigma_1 = \gamma z$. γ is the rock mass. z is the distance of the face from the surface. θ is the angle of cutting between the cutting holes and the free surface of the cutting, usually $60^\circ \leq \theta \leq 80^\circ$. β is the angle of fissure-inducing holes, consider that if this angle is too small, it will cross at the bottom of the hole, and consider the difficulty of construction, $70^\circ \leq \beta \leq 90^\circ$.

The shear resistance of face $C_1D_1D_2C_2$ is:

$$Q_{C_1D_1D_2C_2} = (c + \sigma_1 \tan \varphi) \left(d - \frac{L}{\tan \theta} \right) L \tag{3}$$

The shear resistance of face $A_1A_2C_2C_1$ and face $B_1B_2D_2D_1$ is

$$Q_{A_1A_2C_2C_1} = Q_{B_1B_2D_2D_1} = (c + \sigma_2 \tan \varphi)(n - 1)a \frac{L}{\cos \theta} \tag{4}$$

where σ_2 is the positive stress acting on its surface, $\sigma_2 = \frac{\nu}{1 - \nu} \sigma_1$, and ν is the rock's Poisson ratio.

Face $A_2B_2C_2D_2$ tensile resistance is

$$T = (n - 1)a \sin \beta \left[d - (n - 1)a \cos \beta - 2 \frac{L}{\tan \theta} \right] \sigma_t \tag{5}$$

From the above, the total resistance to cutting into a cavity at the line of least resistance Q is

$$Q = (Q_{A_1A_2C_2C_1} + Q_{B_1B_2D_2D_1}) \sin \beta \cdot \sin \theta + Q_{A_1B_1B_2A_2} + Q_{C_1D_1D_2C_2} + T \tag{6}$$

The relationship between the cutting angle θ and the fissure-inducing angle β and the total resistance Q is shown in Fig. 4.

From Fig. 4, it can be seen that the angle θ between the wedge-shaped cutting holes and the tunnel face, and the fissure-inducing angle β of the cutting holes have a great influence on the formation of the cutting cavity. With the increase of the cutting angle θ , the shear resistance on the face $A_1B_1B_2A_2$ and the face $C_1D_1D_2C_2$ increases, which leads to the increase of the total resistance Q . As the layup angle β increases, the tensile resistance on face $A_2B_2D_2C_2$ increases, leading to an increase in the total resistance Q . The clamping angle θ is related to the

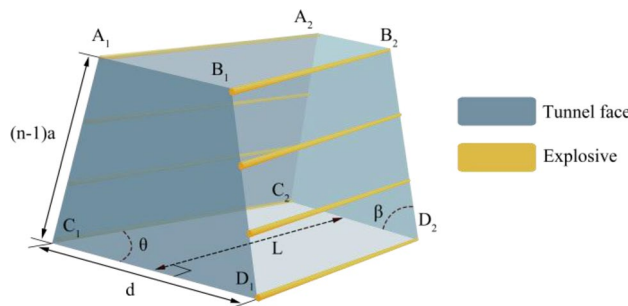


Figure 3. Three-dimensional model of wedge-shaped cutting.

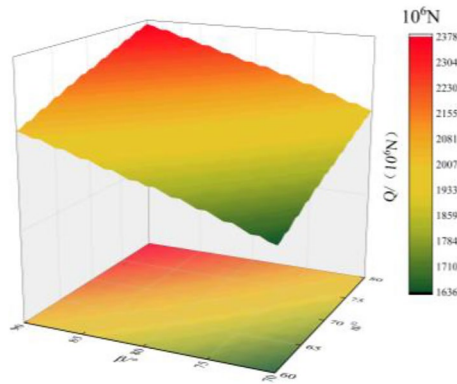


Figure 4. Relationship between cutting angle θ and fissure-inducing angle β and total resistance Q .

shear resistance, while the clamping angle β is related to the tensile resistance. However, the clamp angle θ has a greater effect on the total resistance Q .

The blasting process can be regarded as an isentropic expansion process; according to isentropic expansion, the static pressure of the transmitted shock wave in the rock acting on the wall of the gun-hole is:

$$P_p = \left(\frac{d_c}{d_b}\right)^{2n} P \tag{7}$$

where P , the burst pressure, is 10GPa. d_b , the gun-hole diameter, was 42mm. n , the isentropic index, was 3.

A single hole in the slot cavity acting on the wall of the static pressure can be described by:

$$P_L = P_p L_C d_b \tag{8}$$

where L_C is the length of the gun-hole charge, $L_C = 2.4m$.

The cutting hole bursting gas static pressure along the direction of the minimum resistance line in the center of the slot cavity of the combined force can be described by:

$$F_1 = NP_L \cos \theta \tag{9}$$

where N is the total number of cutting holes, 16.

The combined force of the bursting gas in the direction of vertical excavation surface of the inclined gun-hole is:

$$F_2 = NP_p \frac{\pi}{4} d_b^2 \sin \theta \tag{10}$$

In order for the rock in the cutting chamber to be thrown out, it is necessary to satisfy $F_1 + F_2 \geq Q + T$

$$\begin{aligned} &(Q_{AA'C'C} + Q_{BB'D'D}) \sin \beta \cdot \sin \theta + Q_{ABB'A'} + Q_{CDD'C'} + T \\ &\leq NP_p (L_C d_b \cos \theta + \frac{\pi}{4} d_b^2 \sin \theta) \end{aligned} \tag{11}$$

The calculation results are shown in Table 3.

As can be seen from Table 3, when the cutting angle is between $60^\circ \leq \theta \leq 70^\circ$ and $70^\circ \leq \beta \leq 74^\circ$, the rock body in the slot cavity can be hollowed out smoothly. When the cutting angle is between $60^\circ \leq \theta \leq 69^\circ$, $70^\circ \leq \beta \leq 78^\circ$, the rock can be pulled out smoothly. When the cutting angle is between $60^\circ \leq \theta \leq 68^\circ$, $70^\circ \leq \beta \leq 86^\circ$, the rock can also be pulled out smoothly. When the cutting angle is between $60^\circ \leq \theta \leq 67^\circ$, $70^\circ \leq \beta \leq 90^\circ$, the rock can be pulled out smoothly as well. In the remaining cases, $F_1 + F_2 \geq Q + T$ cannot be satisfied, and the rock in the trench cavity cannot be thrown out, resulting in a failure of trenching.

From the calculation results, it can be seen that the cutting angle θ is the main influencing factor. when the cutting angle θ is large and the rock cannot be hollowed out smoothly, adjusting the fissure-inducing angle β can make the rock body in the slot cavity be hollowed out smoothly by $F_1 + F_2 \geq Q + T$.

From Eqs. (9), (10) and calculations, when $\theta \leq 67^\circ$, the difference of total resistance Q can be controlled within 10%. When $\theta \leq 65^\circ$, the combined force $F_1 + F_2$ is larger, and the following difficulties are prone to occur: the slot cavity of the crushed rock is too large a distance; it is easy to smash the operating equipment; the pile of slag is too dispersed, which is not conducive to the rapid discharge of slag; and at the same time, the depth of the gun-hole is limited, which is not conducive to large-scale rapid construction. From Table 2, it can be seen that when θ is larger than θ , it is not possible to pull out smoothly. In addition, it can be seen that when $\theta \geq 71^\circ$, the combined force $F_1 + F_2$ is too small, and cutting cannot easily succeed. Therefore, the fissure-inducing angle of wedge-shaped cutting holes should satisfy $68^\circ \leq \theta \leq 70^\circ$ and $70^\circ \leq \beta \leq 72^\circ$, which is in line with the provision of relevant specifications²⁴.

Cutting angle $\theta/^\circ$	Fissure-inducing angle $\beta/^\circ$			
	70~72	73~80	81~86	87~90
60~67	Blue	Blue	Blue	Blue
68	Blue	Blue	Blue	Red
69	Blue	Blue	Red	Red
70	Blue	Red	Red	Red
71~80	Red	Red	Red	Red

	Smoothly removes rock from the trench cavity		Unable to pull out the rock in the trench cavity smoothly
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Table 3. Theoretical calculation results.

Numerical simulation
Finite element model

ANSYS/LS-DYNA software was used to establish 25 numerical models of wedge-shaped cutting holes with different cutting angles and different fissure-inducing angles with three-dimensional dimensions of 20m × 12m × 9m, all of which used 8-node solid164 units, and the units were taken as g-cm- μ s. The spacing of the bottom cutting holes was 5.6m, and the rest of the boundaries were set up with no-reflecting boundaries, except for the palm surface of the tunnel, so as to effectively avoid the influence of reflected waves caused by artificial boundaries on the calculation results. A conventional Lagrange algorithm is used for the rock body, the ALE algorithm was used for air, gun clay and explosives, and the total simulation time was set to 4000 μ s. The schematic diagram of the wedge-shaped cutting holes is shown in Fig. 5.

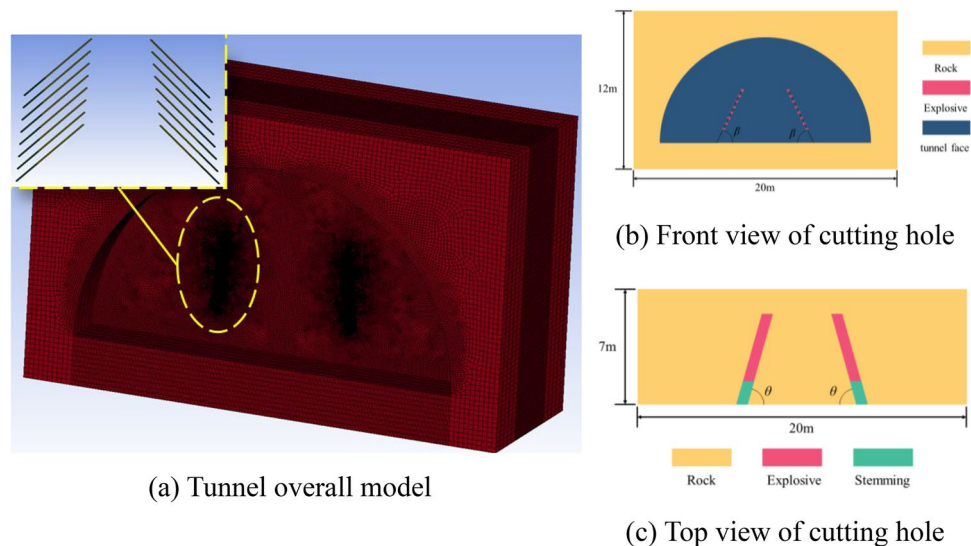


Figure 5. Schematic diagram of the structure of the cutting hole.

Material selection

Parameter determination

Currently, three damage ontology models, the Holmquist–Johnson–Cook (HJC) model²⁵, RHT model²⁶ and JH series model²⁷, are usually used to simulate rock blasting damage. Compared with other models, the RHT model can effectively describe the tensile and compressive damage evolution of rock under dynamic loading. Therefore, the RHT model was used for subsequent numerical simulations in this paper.

The model parameters were calibrated using test data. A series of physical and mechanical tests were carried out based on the limestone of the Bayue Mountain Tunnel in Chongqing, China, and the test procedure is shown in Fig. 2. The compacted density of limestone $\rho_r = 2750 \text{ kg}\cdot\text{m}^{-3}$, uniaxial compressive strength f_c , shear modulus G , and uniaxial tensile strength T were obtained as shown in Table 1. The remaining model parameters were determined as follows.

(1) Strain rate parameterization.

Strain rate has a significant effect on the strength of the rock mass. In the RHT model, the relationship between strength and strain rate is:

$$F_r(\dot{\epsilon}_p) = \begin{cases} (\dot{\epsilon}_p/\dot{\epsilon}_0^c)^{\beta_c} P \geq f_c/3 \\ \frac{P+f_t/3}{f_c/3+f_t/3} (\dot{\epsilon}_p/\dot{\epsilon}_0^t)^{\beta_c} - \frac{P-f_c/3}{f_c/3+f_t/3} (\dot{\epsilon}_p/\dot{\epsilon}_0^c)^{\beta_t} - f_t/3 < P < f_c/3 \\ (\dot{\epsilon}_p/\dot{\epsilon}_0^t)^{\beta_t} P \leq -f_t/3 \end{cases} \quad (12)$$

where $\dot{\epsilon}_0^c$ is the reference strain rate for compression, $\dot{\epsilon}_0^c = 3.0 \times 10^{-5} \text{ s}^{-1}$. $\dot{\epsilon}_0^t$ is the reference strain rate for tension, $\dot{\epsilon}_0^t = 3.0 \times 10^{-6} \text{ s}^{-1}$. P is the pressure. β_c and β_t are the material constants for compression and tension, respectively, $\beta_c = 4/(20 + 3f_c) = 0.0117$ and $\beta_t = 2/(20 + f_c) = 0.0157$.

(2) Determination of damage surface parameters.

When $3P_0^* \geq \sigma_f^*$, the damage surface is expressed as.

$$\sigma_f^*(P_0^*, F_r) = A(P_0^* - F_r/3 + (A/F_r)^{-1/N})^N, 3P_0^* \geq F_r \quad (13)$$

where σ_f^* is the normalized strength, $\sigma_f^* = \sigma_f/f_c$, $\sigma_f = \sigma_1 - \sigma_3$, A and N are the damage surface parameters.

The two parameters A and N can be determined via testing. The triaxial compression test of limestone is shown in Table 3, and P_0^* and σ_f^* can be obtained via calculation. When the material is in a quasi-static state, $F_r = 1$. According to the data in Table 2, the fitting Eq. (19) determines that $A = 2.25$ and $N = 0.711$, and the fitting results are shown in Fig. 6.

(3) Determination of damage parameters.

In the RHT model, the accumulation of plastic strain ϵ_p is used to define the damage value D

$$D = \sum \frac{d\epsilon_p}{\epsilon_p^f} \quad (14)$$

where ϵ_p^f is the plastic strain at damage.

When a given stress state reaches the ultimate strength of the material at the damage surface, damage accumulates in the form of further inelastic deformation or plastic strain. The plastic strain at damage is

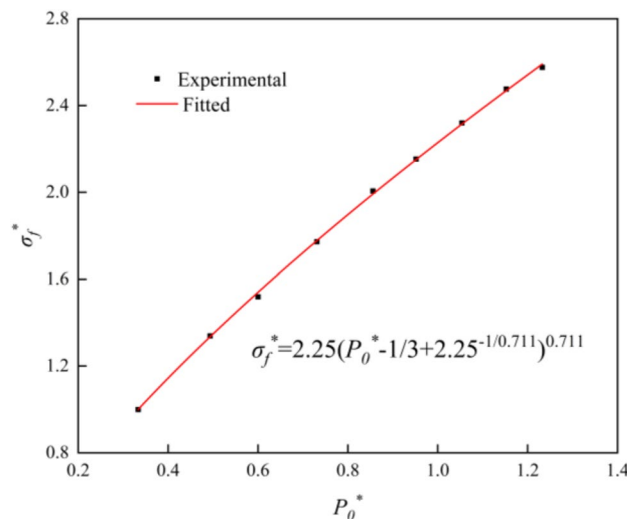


Figure 6. Parameter fitting for damage surface.

$$\varepsilon_p^f = \begin{cases} D_1 [P_0^* - (1 - D)P_t^*]^{D_2} P_0^* \geq (1 - D)P_t^* + (\varepsilon_p^m / D_1)^{1/D_2} \\ \varepsilon_p^m P_0^* < (1 - D)P_t^* + (\varepsilon_p^m / D_1)^{1/D_2} \end{cases} \quad (15)$$

where ε_p^m is the minimum damage residual strain, P_t^* is the pressure at failure, and D_1 and D_2 are damage constants, taken as $D_1 = 0.04$ and $D_2 = 1.0$.

(4) Determination of the parameters of the equation of state of the rock mass p - α .

In the RHT model, the equation of state for the p - α compaction of the rock mass is

$$P_R = \frac{1}{\alpha_0} ((B_0 + B_1\mu)\alpha_0\rho_0 e + A_1\mu + A_2\mu^2 + A_3\mu^3) \quad (16)$$

where P_R is the pressure of the equation of state, α_0 is the initial porosity, B_0 and B_1 are the material constants, $B_0 = B_1 = 1.68$, e is the internal energy per unit mass, μ is the volumetric strain, and A_1 , A_2 and A_3 are the polynomial coefficients, which are given by

$$A_1 = \alpha_0\rho_0c_0^2 = T_1 \quad (17)$$

$$A_2 = \alpha_0\rho_0c_0^2(2k - 1) \quad (18)$$

$$A_3 = \alpha_0\rho_0c_0^2(3k^2 - 4k + 1) \quad (19)$$

where c_0 is the speed of sound at room temperature and pressure, T_1 is the material constant, and k is the empirical constant of the material. T_1 , A_1 , A_2 and A_3 are 45.62 GPa, 45.62 GPa, 76.64 GPa, and 46.84 GPa, respectively. P_{crush} is the crushing pressure, $P_{crush} = 2fc/3^{28}$, and is taken as $P_{crush} = 71.35$ MPa. G_t^* is the yield surface parameter, taken as $G_t^* = 0.7$.

(5) Parameter tuning and optimization.

The remaining parameters are difficult to determine, but Borrvall and Riede²⁶ recommended their reference values. The parameters that are sensitive to numerical results include the yield surface parameter G_t^* , the residual surface parameters A_f and N_f , and the relative shear strength f . They were adjusted and optimized according to the specific test results. Other parameters that are not sensitive to the simulation results were directly quoted from Borrvall and Riede²⁶. A series of dynamic compression tests were conducted on limestone specimens using the split Hopkinson pressure bar (SHPB) test system²⁹. These remaining parameters can be determined via a numerical simulation of these dynamic splitting tests. The numerical model of the limestone specimen is shown in Fig. 7. For the SHPB system, the lengths of the incident and transmission rods were 2000 mm and 2000 mm, respectively. The diameter of the specimen was 50 mm and the height was 25 mm. The model dimensions were exactly the same as in the tests. The damage pattern of the specimen at an impact velocity of 20.4 m·s⁻¹ is given in Fig. 7d, and the numerical results are basically consistent with those of the indoor tests. The results show that the RHT model can describe the damage range and dynamic rupture of the rock samples more accurately. The fully determined parameters are detailed in Table 4.

Explosive material

No. 2 emulsion explosives were used in the field, and MAT_HIGH_EXPLOSIVE_BURN material was selected³⁰, which was combined with the JWJ equation of state to describe the relationship between bursting pressure and specific volume in the process of artillery bombardment³¹.

$$P_j = A_j(1 - \omega/R_1V)e^{-R_1v} + B_j(1 - \omega/R_2V)e^{-R_2v} + \omega E_j/V \quad (20)$$

where P_j is the burst pressure. V is the volume. E_j is the initial internal energy. A_j , B_j , R_1 , R_2 , ω are the parameters of JWJ equation of state. The explosive material density is 1240 kg·m⁻³. The burst speed is 4200 m·s⁻¹, Poisson's ratio is 0.33, and the burst pressure $P_j = 1.3$ GPa.

Stemming material

MAT_SOIL_AND_FOAM material was selected for the plugging³⁰, with a material density of 1900 kg·m⁻³, a modulus of elasticity of 3.3 GPa, a Poisson ratio of 0.33, and a yield strength of 0.65 MPa.

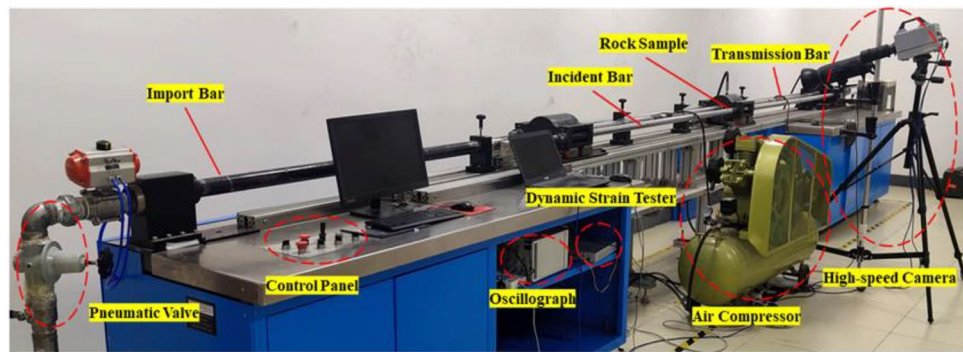
Air material

Air, as a fluid material, was selected as MAT_NULL³⁰, the equation of state was selected as the LINEAR_POYNOMIAL equation, and the relevant parameters are $C_1 = C_2 = C_3 = 0$, $C_4 = C_5 = 0.4$, $E_0 = 0.25$ MPa, $V_0 = 1$, where E_0 is the initial internal energy and V_0 is the initial volume.

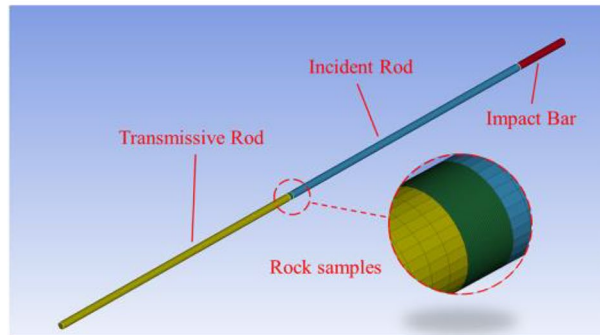
Analysis of numerical calculation results

Effective stress wave analysis

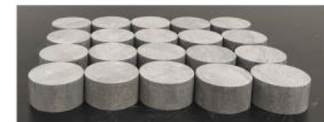
In order to analyze the five different cutting angles (60°, 65°, 70°, 75°, 80°) and five different fissure-inducing angles (70°, 75°, 80°, 85°, 90°) in the damage process of the size of the effective stress, the establishment of the numerical model of 25 different potentialities for III enclosing rock was necessary. We created 25 models of the symmetry surface from the palm face 0 cm, 100 cm, 200 cm, and 300 cm from the same unit using the effective



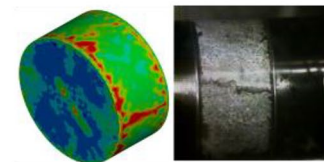
(a) Split Hopkinson Pressure Bar Testing System ALT100



(b) Numerical analysis model



(c) Rock samples



(d) Result

Figure 7. SHPB test.

Parameter	Value	Parameter	Value	Parameter	Value
ρ_r (kg·m ⁻³)	2645	F_i^*	0.03	P_{crush} (MPa)	71.35
G (GPa)	7.97	F_c^*	0.35	G_c^*	2.0
f_c (MPa)	107.02	A_1 (GPa)	45.62	G_r^*	0.7
N	0.711	A_2 (GPa)	41.06	XI	0.5
β_i	0.0157	A_3 (GPa)	-4.22	D_1	0.04
B_0	0.9	Q_0	0.6805	D_2	1.0
B_1	0.9	B	0.0105	β_c	0.0117
α_0	1.04	EOC (s ⁻¹)	3.0E-5	A_f	1.57
T_1 (GPa)	45.62	EOT (s ⁻¹)	3.0E-6	N_f	0.58
P_{lock} (GPa)	6	A	2.25	N_p	3

Table 4. Parameters of RHT model for limestone.

stress data, as shown in Fig. 8., which depicts 25 types of hole deployment after detonation in the form of ellipsoidal propagation, as well as the phenomena of reflected stress waves and positive stress wave superposition when the propagation reaches the free face of the stress wave reflection.

As can be seen from Fig. 9, when the fissure-inducing angle in the same location of the effective stress is very different from the cutting angle, the effective stress gradually decreases with increasing cutting angle, while the effective stress increases with deployment angle. At point 1, due to the superposition of the stress wave, the effective stress is larger. At point 4, the effective stress is smaller because of the superposition of the instant explosion of the stress wave, causing rock damage and consuming a large amount of energy, resulting in a reduction in the effective stress.

The smaller the fissure-inducing angle of the cutting holes, the more energy is consumed in rock destruction during blasting, the better the cutting effect. In the case of a constant cutting angle of the cutting holes, appropriately reducing the fissure-inducing angle of the cutting holes and maximizing the performance of the explosives to make use of the rock in the cutting area makes it more easily broken. The effect of the cutting is better, and the results of the theoretical calculations are in line with the results.

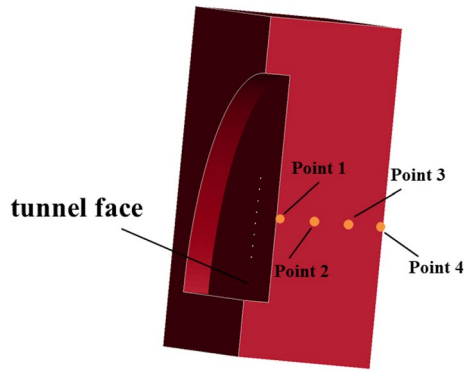


Figure 8. Schematic diagram of the location of selected units.

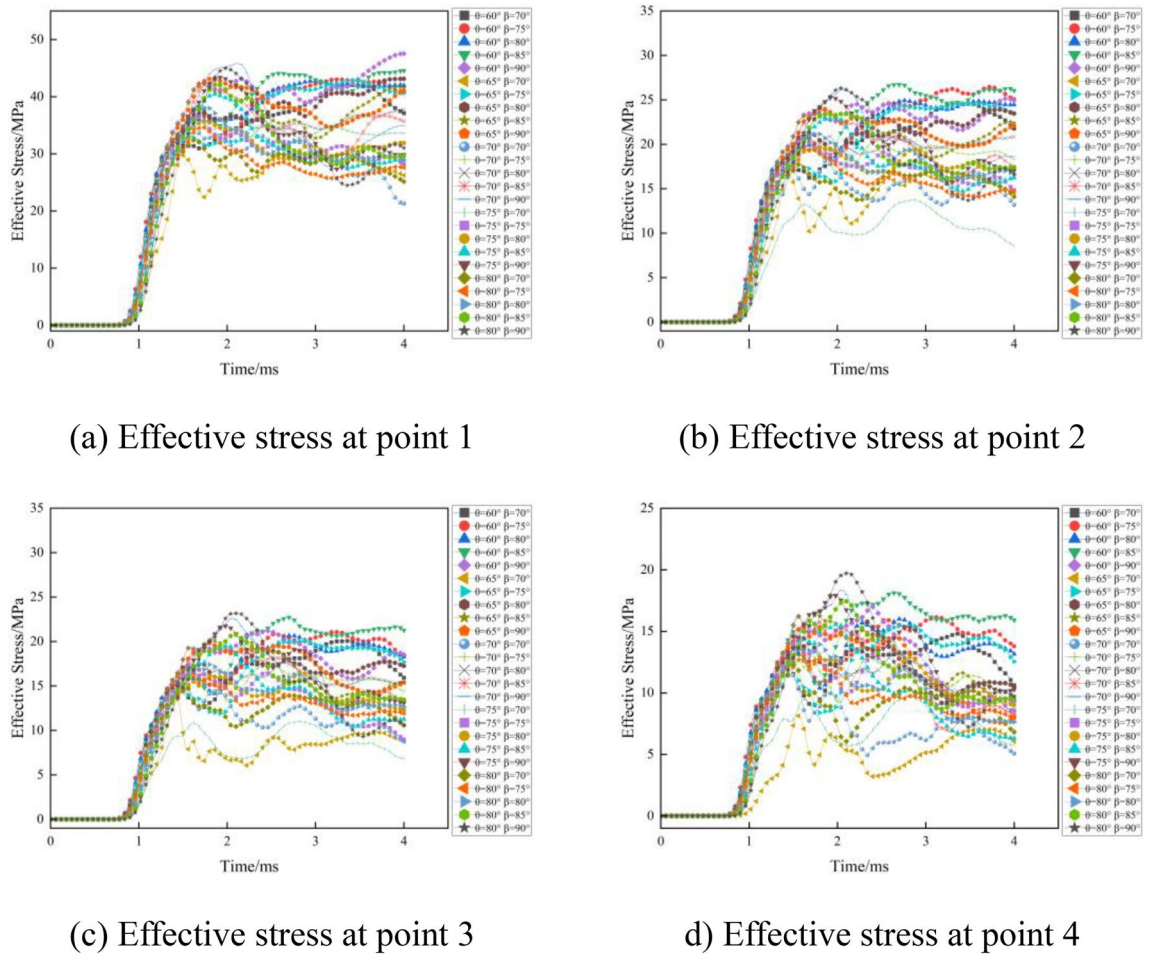


Figure 9. Effective stresses for different deployment forms.

Dynamic damage of surrounding rock

In order to better understand the damage of the surrounding rock with different cutting and fissure-inducing angles of the wedge-shaped cutting holes, an analysis was carried out by using the damage criterion that comes with the RHT model, which was defined as 4#history. The damage of the 25 different deployment modes of the holes is shown in Figs. 10, 11, 12, 13 and 14.

As shown in the figure, the damage areas of the 25 types of hole deployment methods are different, but all of them have a wider range of damage along the axial sides of the gun-hole; the damage at the mouth of the gun-hole is smaller, and the damage to the surrounding rock at the bottom of the gun-hole is larger. When the cutting angle is 60°, the damage area at the bottom of the gun-hole is the flattest, eliminating the "bulging belly" phenomenon, and providing a more regular palm surface of the new tunnel. When the cutting angle is 65°, the

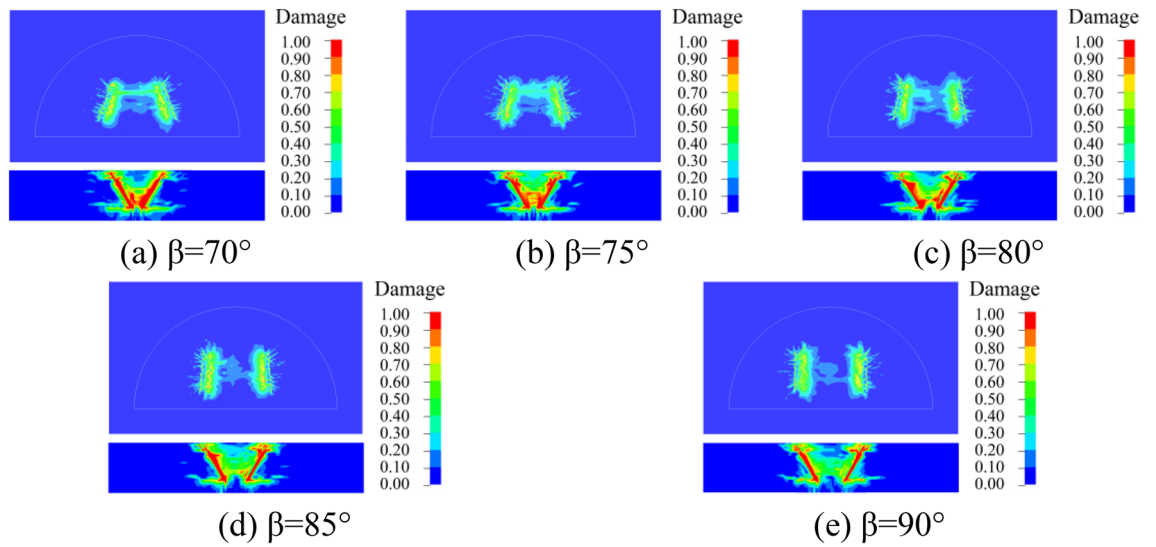


Figure 10. Damage for different unfolding angle β deployment methods when $\theta=60^\circ$

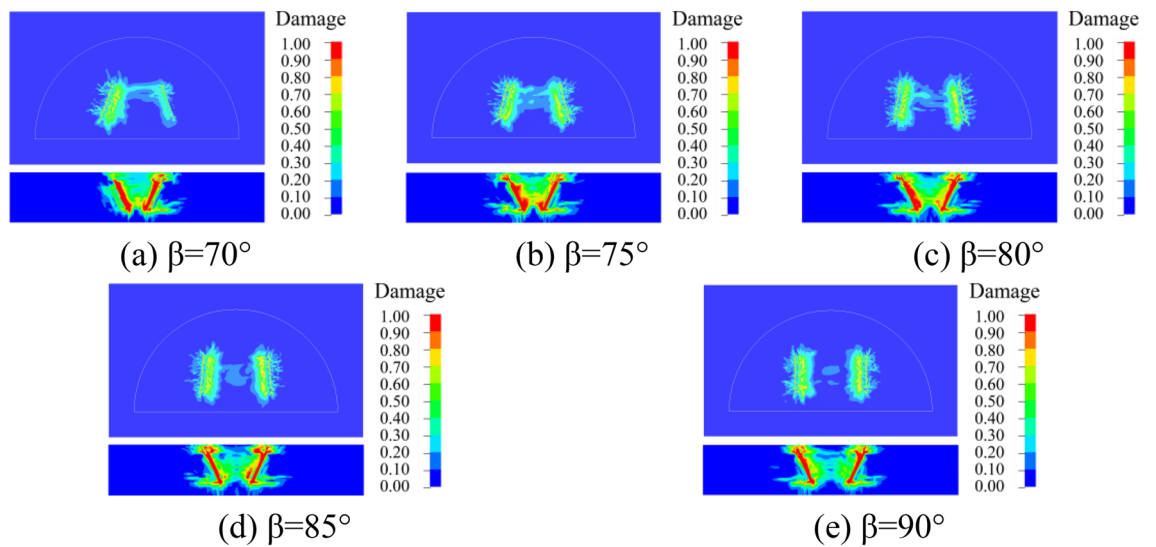


Figure 11. Damage for different unfolding angle β deployment methods when $\theta=65^\circ$

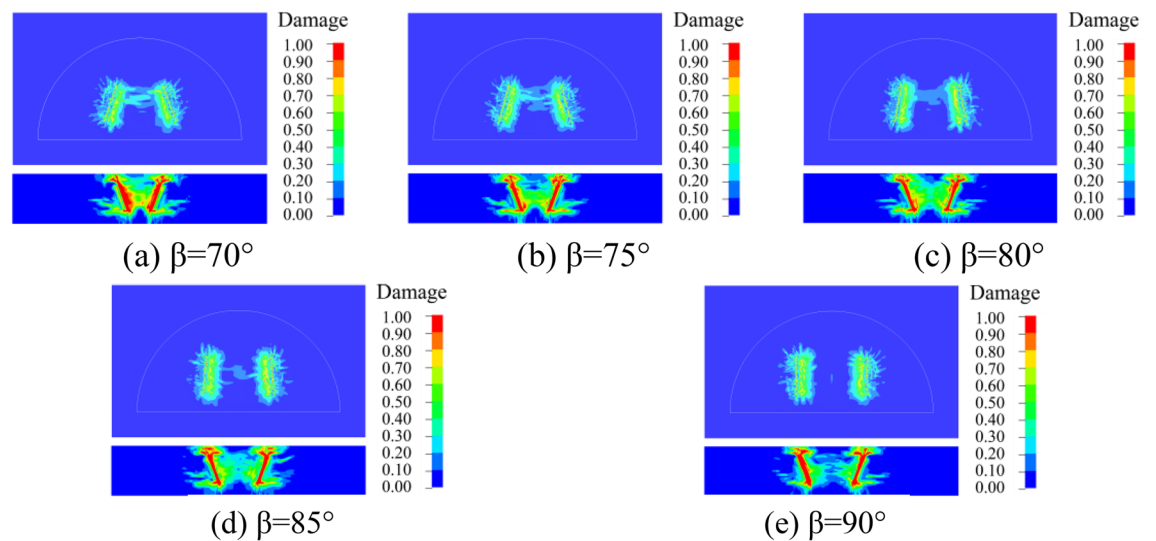


Figure 12. Damage for different unfolding angle β deployment methods when $\theta=70^\circ$

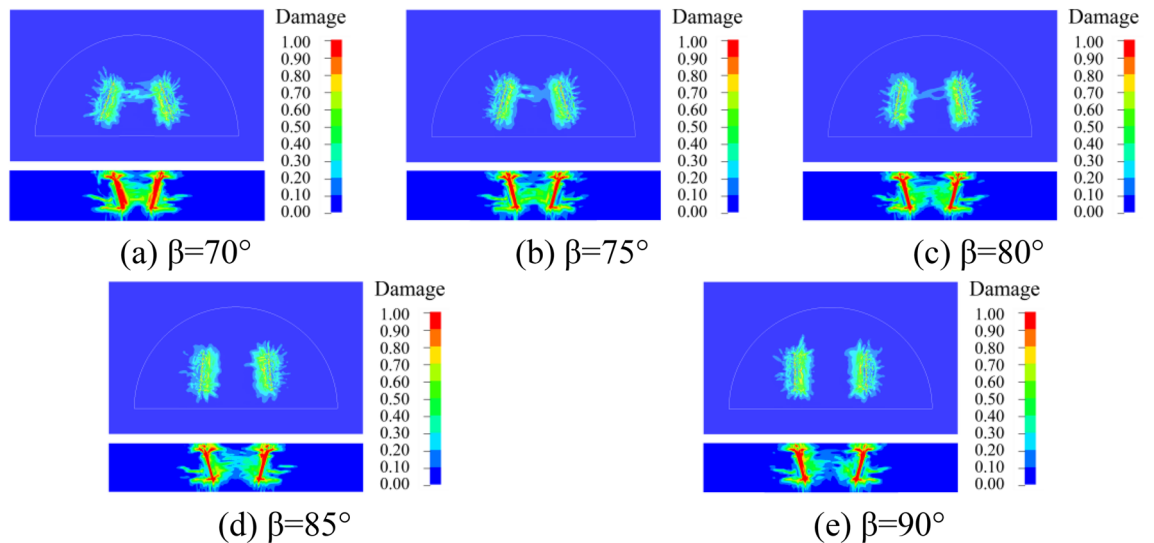


Figure 13. Damage for different unfolding angle β deployment methods when $\theta = 75^\circ$

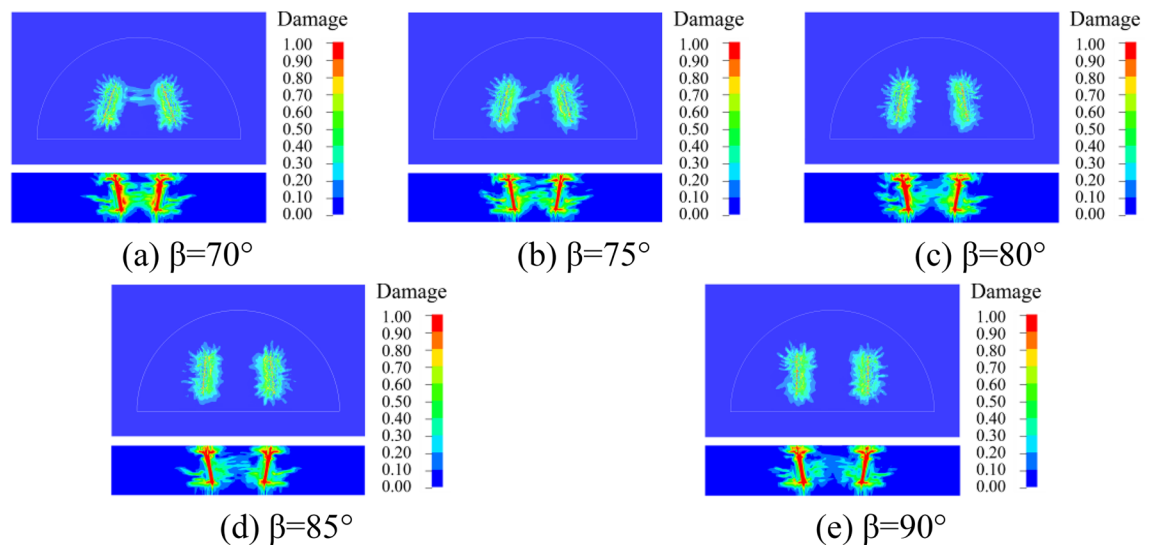


Figure 14. Damage for different unfolding angle β deployment methods when $\theta = 80^\circ$

damage area at the bottom of the hole is relatively flat, with no "bulging belly" phenomenon, and the damage range of the surrounding rock is slightly larger than the cutting angle of 60° . When the cutting angle is 70° , the damage area at the bottom of the hole is relatively flat, and the damage range of the surrounding rock is slightly larger than that at the cutting angle of 65° , with a slight "bulging belly" phenomenon at the bottom of the hole, which was within the acceptable range. When the cutting angle is 75° and 80° , the damage area of the surrounding rock is larger, but the distance between the bottom of the holes is too large, resulting in the rock body between the holes being not broken, and the whole damage area is the smallest, which means that it is necessary to increase the rate of explosives consumption to achieve the same effect.

As shown in Figs. 10, 11, 12, 13 and 14, when the cutting angles are 60° , 65° and 70° , the influence of the change in fissure-inducing angle on the damage range of the surrounding rock is negligible, and the use of larger fissure-inducing angles can effectively expand the damage range of the surrounding rock. When the cutting angle is 75° and 80° , the damage range of the surrounding rock increases with the decrease in the fissure-inducing angle β . Therefore, when the cutting angle is large, using a smaller fissure-inducing angle can effectively improve the blasting effect without changing the explosive unit consumption rate.

Method validation

In order to further verify the applicability of the wedge-shaped cutting hole placement method in large-cross-section tunnels, in this paper, we carried out on-site application studies in the Bayue Mountain Tunnel.

Bayue Mountain Tunnel is located near Shiyu Town, Tongliang District, Chongqing, China. The total length of the tunnel is 2701 m, with a maximum burial depth of 311 m. The perimeter rock of the on-site test section (K12 + 250 ~ K12 + 300) is of level III perimeter rock, the lithology is mainly limestone, and the perimeter rock

at the test section is relatively stable and is constructed by the upper and lower step method, with the upper step excavation area of about 114 m².

In order to ensure the accuracy of the gun-hole layout, in this on-site test, the position of the gun-hole on the tunnel face was firstly measured with a measuring tape and marked using spray paint with a measurement error of ≤ 1 m, and the gun-hole layout diagram is shown in Fig. 15a. Drilling was carried out via manual drilling, using rock drilling rods with a length of 4 m and a drill bit with a diameter of 42 mm, with a cutting angle and a fissure-inducing angle of 70°, and the explosives used were No. 2 emulsion explosives, with the specification of the medicine roll being $\phi 32\text{mm} \times 300\text{mm} \times 300\text{g}$. For the initiator, we used a millisecond delay electronic digital detonator with a high-power generator. In order to avoid manual drilling caused by the deviation in angle of the cutting hole and avoid potentially affecting blasting, the construction cart was modified to add an adjustable drilling rig fixture so that the manual drilling angle could be controlled in the range of $\pm 1^\circ$; the fixture's schematic diagram is shown in Fig. 15b. Adopting this hole arrangement, we carried out 10 blasting tests in the Bayue Mountain Tunnel, and then the actual footage after blasting and the utilization rate of the holes were counted, because the overall blasting effect of the tunnel depends on the cutting out blasting, so the overall blasting effect index was used to indirectly evaluate the effect of the cutting out blasting. The effect after blasting is shown in Fig. 15c, and the statistics of the blasting effect are shown in Table 5.

As can be seen from Table 5, the designed footage of the Bayue Mountain Tunnel is 3 m. After using the hole layout method proposed in this article, the average actual footage distance increased from 2.48 to 2.779 m, and the utilization rate of blast holes increased from 82.67 to 92.63%, an increase of nearly 10%. At the same time, there was no occurrence of "bulging belly". The blasting effect is good, verifying that the cutting holes proposed in this paper have applicability to the fissure-inducing of holes.

Discussion

In order to verify the generalizability of the method proposed in this paper, 10 blasting tests were conducted in the Gonghe Village Tunnel of the Ludian–Qiaojia Expressway in Yunnan, China.

The Gonghe Village Tunnel is a split tunnel with a curved spread. The total length of the tunnel is 10,734 m, with a maximum burial depth of 1322 m. Upper and lower step blasting were used, and the upper step excavation area was about 85 m², as shown in Fig. 16. The surrounding rock of the on-site test section (K46 + 410 ~ K46 + 510) is level III, the lithology is mainly limestone.

The testing was carried out using the hole placement method proposed in this paper, and the cutting angle and fissure-inducing angle were both 70°, as shown in Fig. 17a. The effect after blasting is shown in Fig. 17b, and the statistics of blasting effect are shown in Table 6.

As can be seen from Table 6, the designed footage of the Gonghe Village Tunnel is 3.5 m. After using the hole layout method proposed in this article, the average actual footage distance increased from 2.73 to 3.32 m,

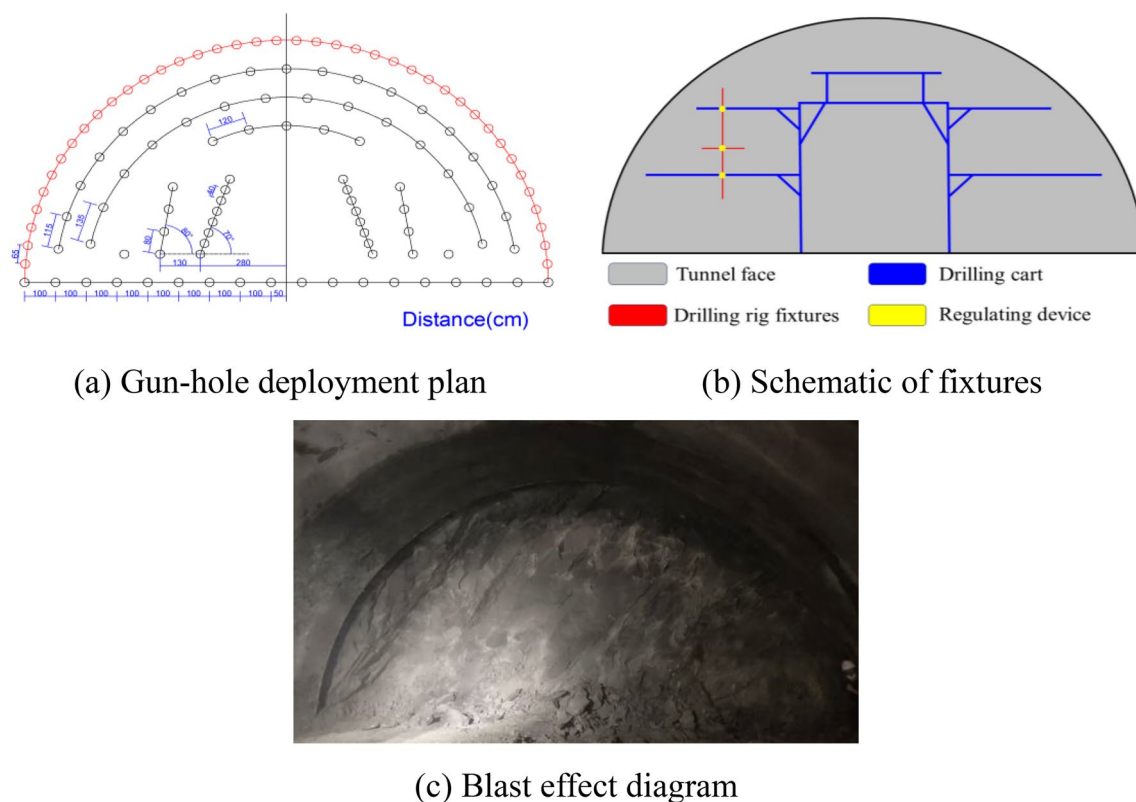


Figure 15. The deployment of the holes and the effect after blasting.

Number	Design feed distance/m	Actual feed distance/m		Gun-hole utilization rate/%		Is there a "bulging belly"?	
		Original	Modify	Original	Modify	Original	Modify
1	3.5	2.73	3.23	78.00	92.29	Yes	No
2			3.25		92.86		No
3			3.41		97.43		No
4			3.33		95.14		No
5			3.35		95.71		No
6			3.27		93.43		No
7			3.38		96.57		No
8			3.38		96.57		No
9			3.25		92.86		No
10			3.35		95.71		No
Average			3.32		94.86		

Table 6. The Gonghe village tunnel gun-hole utilization rate.

and the utilization rate of blast holes increased from 78.00 to 94.86%, an increase of over 15%. At the same time, there was no occurrence of "bulging belly", the blasting effect is good.

In summary, the use of the wedge-shaped cutting hole proposed in this study has good generalizability and is suitable for other large section third level surrounding rock limestone tunnels.

Conclusion

In this paper, an efficient and refined blasting method for wedge-shaped cutting holes in large-cross-section tunnels is proposed with Bayue Mountain Tunnel as the engineering background. The influence of different forms of hole placement on the blasting effect was studied, and theoretical analysis, numerical simulation and on-site testing were carried out. The following conclusions can be obtained.

1. Changing the cutting angle θ changes the shear resistance on face $A_2B_2D_2C_2$ in the three-dimensional model of wedge-shaped cutting, so the total resistance Q to cutting into a cavity increases with the increase in cutting angle θ . Changing the fissure-inducing angle β changes the shear resistance on face $A_1B_1B_2A_2$ and face $C_1D_1D_2C_2$, so the total resistance Q to cutting into a cavity increases with fissure-inducing angle β .
2. After theoretical derivation, it was found that for level III surrounding rock, under the condition that the cutting angle of the cutting holes remains unchanged, the fissure-inducing angle of the cutting holes ought to be appropriately reduced to maximize the performance of the explosives so as to make the rock in the cutting area easier to break and create a better cutting effect.
3. Through numerical simulation, it was found that when the cutting angle is $\theta \leq 65^\circ$, there is no "bulging belly" phenomenon; when the cutting angle is $\theta = 70^\circ$, the bottom of the gun-hole has a slight "bulging belly" phenomenon; and when the cutting angle is 75° and 80° , the surrounding rock damage is larger, but the area between the bottom of the gun-holes is larger. When the cutting angle is 75° and 80° , the surrounding rock damage area is larger, but the spacing between the bottom of the holes is too large, resulting in the rock body between the holes being not broken, and the whole damage area is the smallest, which means that to achieve the same blasting effect, it is necessary to increase the rate of explosives consumption.
4. For level III surrounding rock, the angle of wedge-shaped cutting holes should meet $68^\circ \leq \theta \leq 70^\circ$ and $70^\circ \leq \beta \leq 72^\circ$. With the method proposed in this paper, on-site tests were carried out in the Bayue Mountain Tunnel and the Gonghe Village Tunnel, both of which were successfully trenched, and the average utilization rates of the gun-holes were effectively improved to 92.68% and 94.86%, respectively.

Data availability

The datasets used during the current study available from the corresponding author on reasonable request.

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Competing interests

The authors declare no competing interests.

Additional information

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