

ARTICLE

Received 24 Mar 2015 | Accepted 14 Jul 2015 | Published 19 Aug 2015

DOI: 10.1038/ncomms9067

OPEN

Spontaneous emergence of chirality in achiral lyotropic chromonic liquid crystals confined to cylinders

Karthik Nayani¹, Rui Chang², Jinxin Fu¹, Perry W. Ellis³, Alberto Fernandez-Nieves³, Jung Ok Park^{1,5} & Mohan Srinivasarao^{1,4,5}

The presumed ground state of a nematic fluid confined in a cylindrical geometry with planar anchoring corresponds to that of an axial configuration, wherein the director, free of deformations, is along the long axis of the cylinder. However, upon confinement of lyotropic chromonic liquid crystals in cylindrical geometries, here we uncover a surprising ground state corresponding to a doubly twisted director configuration. The stability of this ground state, which involves significant director deformations, can be rationalized by the saddle-splay contribution to the free energy. We show that sufficient anisotropy in the elastic constants drives the transition from a deformation-free ground state to a doubly twisted structure, and results in spontaneous symmetry breaking with equal probability for either handedness. Enabled by the twist angle measurements of the spontaneous twist, we determine the saddle-splay elastic constant for chromonic liquid crystals for the first time.

¹School of Materials Science and Engineering, Georgia Institute of Technology, Atlanta, Georgia 30332, USA. ²School of Chemical and Biomolecular Engineering, Georgia Institute of Technology, Atlanta, Georgia 30332, USA. ³School of Physics, Georgia Institute of Technology, Atlanta, Georgia 30332, USA. ⁴School of Chemistry and Biochemistry, Georgia Institute of Technology, Atlanta, Georgia 30332, USA. ⁵Center for Advanced Research in Optical Microscopy, Georgia Institute of Technology, Atlanta, Georgia 30332, USA. Correspondence and requests for materials should be addressed to M.S. (email: mohan@mse.gatech.edu).

Pasteur's brilliant experiments dealing with the crystallization of tartrates provided the first glimpse of spontaneous mirror-symmetry breaking that led to the foundation of stereochemistry¹. Optical activity, a consequence of reflection-symmetry breaking, since the time of its discovery by Biot in the early 1800s, has captivated the imagination of scientists^{2–4}. Since Pasteur's time, the appearance of macroscopic chirality during crystallization from both chiral and achiral molecules has been frequently observed⁵. Crystallization apart, optical activity resulting from achiral units has been observed in liquid crystals and polymeric materials without a molecular chiral centre. Chirality, indeed, has been an important feature of liquid crystals since the time of their discovery in 1888 (refs 6,7). In particular, the appearance of chirality from achiral molecules has been the subject of study for the past two decades stimulated by the synthesis of bent-core molecules that were found to exhibit chiral domains in their fluid state⁸. Confinement can also result in spontaneous reflection-symmetry breaking; this has been seen in droplets^{9–12}, tactoids^{13,14} and in toroids¹⁵.

Here we explore an unexpected spontaneous reflection-symmetry breaking when a class of liquid crystals, known as lyotropic chromonic liquid crystals (LCLCs), are confined to cylindrical capillaries. In describing the kind of mirror-symmetry breaking that we are reporting on has historically been referred to as 'chiral symmetry breaking'. It should, however, be noted that it is inappropriate to use this term when describing the emergence of chirality from achiral systems, as has been pointed out almost a decade ago^{16,17}. Hence, we use the term 'reflection-symmetry breaking' in keeping with the suggestion made by Barron¹⁸.

When nematic liquid crystals are confined within flat boundaries with planar boundary conditions, the ground state is characterized by an average molecular orientation along a specific direction referred to as the easy axis of the director. Confinement of nematics to curved geometry results in a much richer phenomenology¹⁹. Curvature for nematics costs energy. This can be appreciated when one notices that the elastic free-energy expression of the director \mathbf{n} is of the order of $(\nabla\mathbf{n})^2$ (ref. 20). For this reason, the Frank free energy is oftentimes referred to as the curvature elasticity of nematic liquid crystals²¹. This richness is further enhanced if the nematic has significant anisotropy of its elastic constants^{10,13,22}. In this study, we show the emergence of spontaneous chirality when achiral chromonic molecules are confined to a cylindrical geometry. The intricate nature of the coupling of curvature to the free energy and sufficient anisotropy of elastic constants drive the observed spontaneous reflection-symmetry breaking transition.

LCLCs are composed of plank-like molecules with a poly-aromatic core and polar peripheral groups. The poly-aromatic cores stack face to face governed by π - π interactions^{23,24}. At low concentrations, the aggregates are short and orient randomly. As the concentration increases, the aggregates increase in length and eventually form a nematic phase. Although Onsager's excluded volume theory would be the intuitive way to describe the isotropic-nematic transition of these lyotropic systems, it has been found that the critical concentration of the isotropic-nematic transition is much lower than that predicted by Onsager. Several models such as Y-stacks and slip stacks have been suggested to address the discrepancy^{25,26}. Another curious aspect of these phases is the fact that the twist elastic constant (K_{22}) is an order of magnitude lower than the splay (K_{11}) and bend (K_{33}) constants²⁷. In this regard, LCLCs bear striking similarity with several other polymeric nematics whose K_{22}/K_{11} and K_{22}/K_{33} are of the same order of magnitude as LCLCs^{28–31}. This seems to be a feature common to nematics whose constituent nematogens are composed of semiflexible units. However, we are unaware of any first principles study in the literature that addresses the

reason for the twist elastic constant in these systems being curiously low. These fascinating features of LCLCs distinguish them from small-molecule thermotropic nematics, thus conferring on confined LCLCs new and richer phenomenology.

Spontaneous reflection-symmetry breaking has been observed previously in tactoids of disodium cromoglycate (DSCG)³². Competition of the twist and splay deformation energies has been used to describe the emergence of chirality in the twisted tactoids. Such an argument is particularly valid in the case of LCLCs due to the twist elastic constant being an order of magnitude smaller than the splay elastic constant. Similarly spherical droplets of Sunset Yellow FCF (SSY) with planar boundary conditions also break reflection symmetry by relieving the costly splay close to the surface defects (boojums) with a twist deformation³³. In both of these cases, any permitted ground state with or without twist involves a deformation of the director. The uniqueness of our work lies in the fact that when confined to a cylindrical geometry with planar anchoring, we uncover a configuration with significant distortions, even though there exists a configuration free of director deformations, the axial configuration, where the director lies along a cylindrical axis³⁴. This is a truly remarkable observation, which imparts novelty to the current work. We demonstrate that the often-neglected saddle-splay (K_{24}) contribution is crucial in stabilizing the observed twisted director profile in cylindrical capillaries. Provided there exists sufficient anisotropy between the saddle-splay and the twist elastic constants, the saddle-splay term not only screens the twist but also stabilizes the director deformation by decreasing the free energy of the twisted configuration below that of the deformation-free structure³⁵.

Results

Polarized optical microscopy. Consider an axial director profile as illustrated in Fig. 1a. For this director configuration the intensity profile of the transmitted light in a crossed polarized setup is of the form: $I \propto \sin^2(2\varphi_p)$, where φ_p is the angle between the director and the polarizer³⁶. The intensity is a minimum when the director is either parallel or perpendicular to the incident polarization, corresponding to complete extinction of the light. The maxima in the intensity correspond to the cases where the director makes an angle of 45° with respect to the incident polarization direction. Polarized optical microscopy (POM) images of two angular positions of a capillary filled with DSCG are shown in Fig. 2a,b, which correspond to the long axis of the capillary being parallel and at 45° with respect to the incident polarization direction, respectively. It should be noted that neither one of these situations display the expected extinction of the incident light. This remarkable feature points to the fact that we must have a twisted structure in place of an axial one.

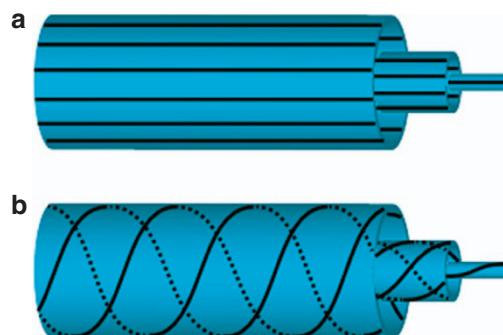


Figure 1 | Schematics of director configurations in a cylindrical capillary. (a) Axial director profile. (b) Doubly twisted director profile.

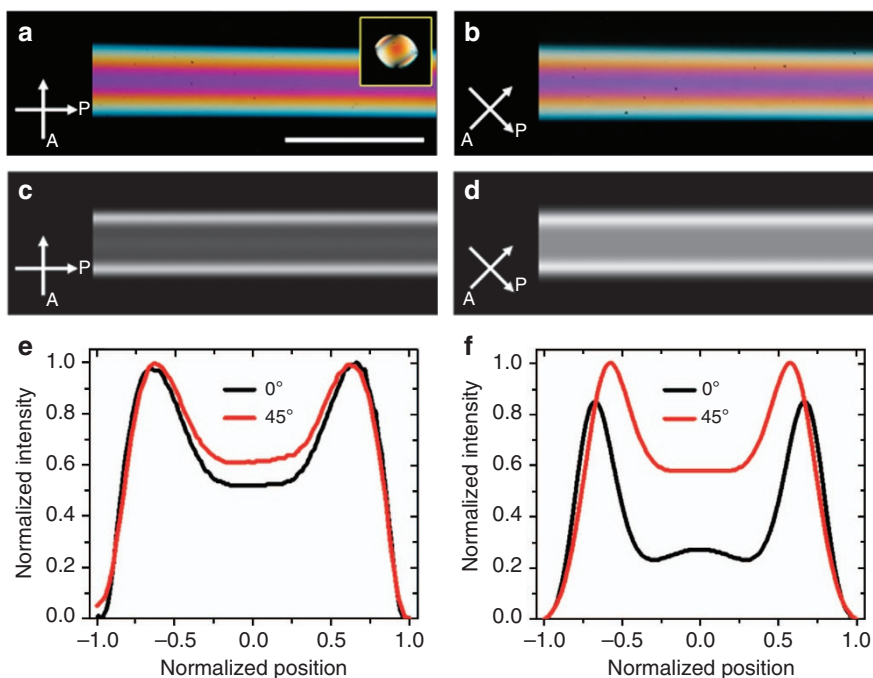


Figure 2 | Experimental and simulated images of doubly twisted director in a cylinder. (a,b) POM images of DSCG in a cylindrical capillary. Scale bar, 100 μm . The inset shows a bipolar tactoid of DSCG nucleating on the capillary wall in the biphasic region. (c,d) Simulation images of double twist configuration. (e) Intensity profiles of the cross-sections of **a** (black line) and **b** (red line). (f) Intensity profile of the cross-section of **c** (black line) and **d** (red line).

In an axial configuration, the image corresponding to Fig. 2a would be one of complete extinction of light. Instead, we see that the intensity in both Fig. 2a and b are comparable. This implies that the plane of polarization of the incident light is rotated by the liquid crystal, and upon exiting the capillary it is at an angle to the analyser that is not 0° or 90° . This is a classic signature of twist. A doubly twisted configuration, which could explain the observed experimental images is illustrated in Fig. 1b. The director of this configuration is axial at the centre of the cylinder and twists progressively as it approaches the surface. We confirm that the anchoring at the surface of the cylinder is planar by studying the tactoids that nucleate when the LCLC is in the biphasic region. The inset of Fig. 2a shows a bipolar tactoid, which serves as a confirmation that the surface anchoring is planar.

Jones matrix simulations. To test the hypothesis of double twist, we perform Jones matrix simulations with a simple doubly twisted director ansatz. Jones matrices quantify the change in the polarization state of the light as it traverses the sample^{36,37}. The director field is specified by $n = n_r e_r + n_\theta e_\theta + n_z e_z$ where e_r , e_θ and e_z are the orthonormal vectors in cylindrical coordinates, with $n_r = 0$, $n_\theta = \omega r/R$, $n_z = \sqrt{1 - n_\theta^2}$. The twist parameter ω determines the amount of twist in the system; $\omega = 0$ corresponds to an axial configuration. r is the radial distance from the centre of the circular cross-section and R is its radius. Indeed, the simulated POM textures conform to the experimental observations that the light is not extinguished when the capillary long axis is parallel to the polarization of the incident light, which is evident from Fig. 2c. Further, we note that the intensity when the angle between the incident polarization direction and the cylindrical long axis is 45° , I_{45} , is always greater than the intensity when the angle between the incident polarization and the cylindrical long axis is 0° , I_0 , which is also in agreement with the experimental observations. Furthermore, the intensity profiles along the cross-section of the

sample of both experiments and simulations are consistent with each other, as shown in Fig. 2e,f. The simulations capture the important characteristics of the experimental profiles. The consistency of simulation and experiments indicates that the doubly twisted configuration likely reflects molecular arrangement inside the capillary.

Having shown the persistence of a twisted structure with both experiments and simulations, we now address several consequent questions: what is the driving force for the spontaneous twist deformation of the director field? What is the magnitude of the twist? Does the magnitude of twist depend on the size of the capillary?

Role of Saddle Splay Elasticity. We address the question of the driving force for the doubly twisted configuration over the axial configuration by considering the contribution of the saddle-splay (K_{24}) term in the free-energy expression:

$$F = \frac{1}{2} \int dV [K_{11}(\nabla \cdot n)^2 + K_{22}(n \cdot \nabla \times n)^2 + K_{33}(n \times \nabla \times n)^2 - (K_{24} + K_{22})\nabla \cdot (n(\nabla \cdot n) + n \times \nabla \times n)], \quad (1)$$

where K_{11} , K_{22} and K_{33} are the Frank elastic constants associated with splay, twist and bend bulk deformations, respectively. The splay-bend (K_{13}) contribution has been a contentious topic in nematic elasticity, but we can safely neglect the K_{13} term in our study as we are dealing with the case of planar anchoring. The role of the saddle-splay term, which is weighted with the elastic constant K_{24} , is subject to great debate³⁸. Several studies have neglected the contribution of saddle splay under strong anchoring conditions. This argument stems from the fact that the bulk integral of the saddle splay can be reduced to a surface integral using Stoke's theorem, and that the contribution of saddle splay would be negligible as the divergence contributions are small when

we approach the infinitely removed surface. However, this argument is rather misguided as the saddle-splay contribution can only be neglected if the director depends only on one Cartesian coordinate^{39,40}. For planar anchoring, this implies that when the confining boundaries are curved, the contribution of K_{24} cannot be trivially neglected. Further, in geometries such as cylinders where the two principal curvatures are very different, the contribution of saddle splay can play a pivotal role in determining the director configuration.

We highlight the crucial role played by the saddle-splay term in the spontaneous reflection-symmetry breaking of the director configuration resulting in a doubly twisted configuration for cylindrical confinement. For the case of planar anchoring, the saddle-splay term tends to align the director along the direction of largest principal curvature. This can be better understood when the contribution of K_{24} to the free energy per unit length is written in the form⁴¹: $F_{24} = -\frac{1}{2}(K_{24} + K_{22}) \int dS (k_1 n_1^2 + k_2 n_2^2)$, where k_1 and k_2 are the principal curvatures at a point on the surface, and n_1 and n_2 are the director components along the corresponding directions (see Supplementary Information). For a cylinder, $n_1 = n_\theta$ and $n_2 = n_z$; hence $k_1 = 1/R$ and $k_2 = 0$. As a result, for the case of cylindrical geometry, the integral of F_{24} is minimized when the director at the surface is along the e_θ direction. This drives the system to twist and provided that there is sufficient anisotropy of the elastic constants, the twisted structure is always stable. We tend to this argument with a simple theoretical model below.

The same ansatz, which was used for the Jones matrix simulations, is used for the theoretical calculations. We obtain an expression for the free energy per unit length as:

$$\frac{F}{2\pi K_{33}} = \frac{(K_{22} - K_{24})}{K_{33}} \omega^2 + \frac{\omega^4}{4} + \sum_3 \frac{K_{22}}{K_{33}} \frac{\omega^{2n}}{2n}. \quad (2)$$

The form of the free energy is completely analogous to the Landau theory of magnetism²⁰. It is, in fact, the sign of the quadratic term which determines whether the system adopts an axial configuration or breaks reflection symmetry, resulting in a doubly twisted director configuration. This theory is generic and would describe the reflection-symmetry breaking of any nematic fluid. Provided $K_{24} > K_{22}$, the director is always going to be twisted. For LCLCs, the low value of K_{22} confer them with the possibility of satisfying the twisting criterion. We can conclude that the value of K_{24} for the LCLCs used in the experiments is always greater than K_{22} , as the director is twisted in our experiments. Although our model is simplistic in terms of the ansatz used, we capture the essential physics with the criterion that $K_{24} > K_{22}$ for a twisted structure.

Waveguiding experiments. To confirm the twisting criterion, we obtain the value of K_{24} by inserting the value of the twist parameter ω measured experimentally in the expression obtained by minimizing equation 2. We determine the twist parameter by measuring the twist angle as one traverses the diameter of the cylinder. In the Mauguin limit, where $\phi \ll |\Gamma| = \left| \frac{2\pi}{\lambda} (n_e - n_o) d \right|$, with ϕ the total twist angle and Γ the retardation caused by the anisotropy of the refractive indices⁴², the director field serves as a waveguide to the incident polarized light. As the birefringence, $n_e - n_o$, is fairly low (~ 0.02) for DSCG, we use capillaries of diameter 400 μm to satisfy the waveguiding requirement. When the waveguiding criterion is met, the minimum in transmitted intensity corresponds to the situation where, the entry polarization of the incident light is along the long axis (extraordinary waveguiding) or short axis (ordinary waveguiding), and the analyser is perpendicular to the exit direction of the light. Theoretically, this corresponds to zero

transmitted intensity. To determine this specific polarizer analyser combination, we first rotate the analyser every 5° at a given polarizer orientation. Then, the polarizer is rotated by 5° and the analyser rotation is repeated for the new polarizer orientation. The red triangles and blue circles in Fig. 3a show the maximum and minimum intensities, respectively, so obtained for the different polarizer orientations. It is evident from Fig. 3a, the minimum transmitted intensity corresponds to a polarizer angle of 75° for DSCG. For this polarizer orientation, the transmitted intensity as a function of the analyser rotation is shown in Fig. 3b. From the minimum in the plot of Fig. 3b, we estimate that the total twist angle is $(150 \pm 10)^\circ$. Since, within our ansatz, $\phi = 2 \sin^{-1}(\omega)$, we find that $\omega = 0.95 \pm 0.03$. Substituting the value of ω thus determined into the theoretical expression below, which is obtained by minimizing the free-energy expression given by equation 2:

$$\frac{K_{24}}{K_{33}} = \frac{1}{2} \left(\frac{2K_{22}}{K_{33}} + \omega^2 + \sum_3 \frac{K_{22}}{K_{33}} \omega^{2n-2} \right), \quad (3)$$

we find that the range of $\frac{K_{24}}{K_{33}}$ for DSCG is between 0.75 to 1.75 under the assumption that $\frac{K_{22}}{K_{33}} \sim 0.1$. We also perform the same experiment with SSY and obtain a twist angle close to 170° . This would correspond to a value of $\frac{K_{24}}{K_{33}}$ of 6.75. We note that the exact value of $\frac{K_{24}}{K_{33}}$ is extremely sensitive to the value of the twist angle for large twists ($\omega \sim 1$). In comparison with small-molecule liquid crystals such as 5CB, we note that the value of K_{24} is significantly higher in comparison with the other elastic

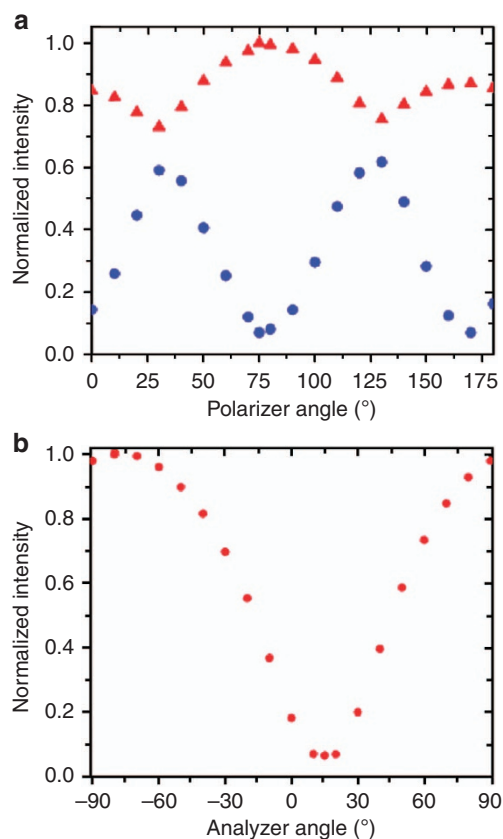


Figure 3 | Intensity profiles from waveguiding measurements. (a) The maximum (red triangle dots) and minimum (blue circles) transmitted intensities at every polarizer angle when the analyser is rotated by 180° . (b) The transmitted intensity at every analyser angle when the polarizer is fixed at 75° .

constants. For all the capillary dimensions (50, 100, 400 and 500 μm) used in the experiments, the twist angle measured is independent of the system size. This is another interesting aspect of our experimental system. Theoretically, we envision that very large values of twist per unit length can be obtained by cylindrical confinement of LCLCs. As the twist angle is independent of the system size, we can potentially confine LCLCs in as small a capillary as experimentally permitted and still obtain the same values of the twist angle. This makes our system a viable playground for a number of applications. We note that it is only the ratio of the elastic constants that dictates the magnitude of twist in the system. The obtained values of $\frac{K_{24}}{K_{33}}$ are at odds with Ericksen's inequalities⁴³; these emerge on the basis that the Frank free energy is positive definite, with the minimum corresponding to a deformation-free director. In our experiments, the anisotropy of the elastic constants results in the formation of a ground state that is lower in energy than the deformation-free ground state. Hence, Ericksen's inequalities no longer apply.

The sign of the twist parameter ω determines the handedness of the system as the free energy is invariant to sign inversion. This implies that there is equal probability of finding domains of either handedness. Indeed, we see that there are multiple domains in a single capillary. Furthermore, these domains have opposite handedness and are separated by Neel walls⁴⁴. Figure 4a demonstrates walls separating oppositely handed domains, where the sample is along the polarizer in a crossed polarizer setup. We note the extinction of the transmitted light from the centre of the wall, indicating that it could be a Neel wall. In Fig. 4b, where the sample makes an angle of 45° with the polarizer, the transmitted intensity is a maximum from the wall region. The intensity profile of the centre of the wall as the sample is rotated under cross polarizers is reminiscent of an axial configuration as shown in Fig. 4e. This confirms that we, in fact, have a Neel Wall separating domains of opposite handedness, as illustrated in Fig. 4f. We establish that the regions separated by the Neel wall are oppositely twisted from complementary polarizer and analyser angles. For

instance, the 60° and -60° as shown in Fig. 4c,d, the domains show exactly complementary intensity profiles, which is a signature of opposite handedness of twist.

Discussion

We demonstrate the emergence of spontaneous chirality when LCLCs are confined to cylinders with degenerate planar anchoring conditions. Remarkably, the doubly twisted state is the chosen ground state even when there is a director configuration free of deformations. It is the contribution of the saddle-splay term drives the director to have a twisted structure. In addition our experiments present a unique and relatively straightforward path to measure the elastic constant K_{24} for LCLCs. This marks the first measurement of K_{24} for LCLCs. There is significant interest in the area of chiral separation of organic molecules in water. It has not escaped our attention that this configuration is an elegant platform for the detection and separation of chiral substances and enantiomers⁴⁵. We have shown that the LCLC has equal probability of acquiring one handedness, and domains of

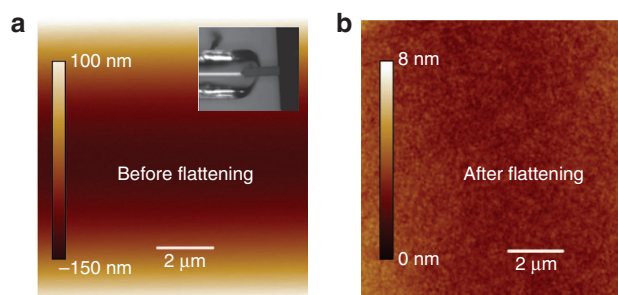


Figure 5 | AFM measurements of the inner surface of the capillary:

(a) Inner surface height profile of a 50- μm -diameter cylindrical capillary, the inset shows the AFM tip scanning the bottom of the inner wall of the capillary. (b) The surface tomography of the inner wall after flattening the image (a).

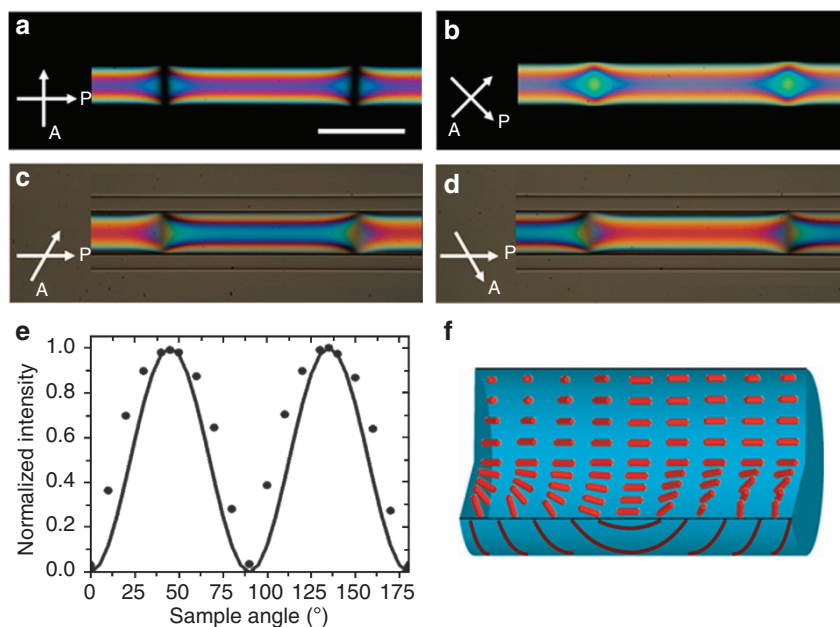


Figure 4 | Neel walls separating oppositely handed domains. POM images of DSCG in cylindrical capillaries with Neel Walls separating domains of opposite twist when the polarizer and analyser make an angle of (a,b) 90° and (c,d) 60° . The opposite twist handedness is revealed from the complementary intensities at complementary polarizer-analyser angles. White arrows represent the direction of polarizer (P) and analyser (A). Scale bar, 100 μm . (e) The intensity of the centre of the wall region as the sample is rotated under crossed polarizers (black circles) and the theoretical intensity profile of an axial configuration (black line). (f) Corresponding schematic of the director configuration in the wall region.

opposite handedness are separated by a Neel wall. These experiments highlight the fascinating aspect of highly anisotropic elastic constants, a distinctive feature of LCLCs. This feature coupled with the curved geometry results in various fascinating phenomena and hints towards richer phenomenology when LCLCs are confined in more exotic geometries. Note that at the time of revision, we came across a similar report demonstrating reflection-symmetry breaking of LCLCs in cylindrical geometries⁴⁶.

Methods

Experimental details. Aqueous solutions of SSY and DSCG were used in this study. Cylindrical capillaries (Vitrocom) of diameter 50, 100, 400 and 500 μm were used without any surface treatment. The capillaries were filled with 14, 16 and 18 wt% of DSCG and 30 wt% SSY by capillary force and then immediately sealed with epoxy to prevent water evaporation. The director profiles were interrogated using POM (Leica DMRX Microsystem).

Atomic force microscopy measurements of the inner surface of the capillaries.

In order to rule out any surface imperfections that might result in twist, such as grooves inside the capillary, we performed AFM (NanoScope, BRUKER) measurements on the inner surface of the cylindrical capillary. Figure 5a is the surface height profile, from which the curvature of the capillary can be seen. We then flatten the image (Fig. 5a) using the software provided by the manufacturer to take away the global curvature and get the surface tomography as shown in Fig. 5b. There are no grooves or other structures on the inner wall that can provide a preferred surface anchoring for the liquid crystal.

References

- Pasteur, L. *Cr. hebd. Séanc. Acad. Sci. Paris* **26**, 535 (1848).
- Bonner, W. A. in *Conference on the Physical Origin of Homochirality in Life Location* (ed. Cline, D. B.) (American Institute of Physics Press, Santa Monica, CA, 1996).
- Silverman, M. P. *Waves and Grains: Reflections on Light and Learning* (Princeton University Press, Princeton, NJ, 1998).
- Bailey, J. *et al.* Circular polarization in star-formation regions: implications for biomolecular homochirality. *Science* **281**, 672–674 (1998).
- Kondepudi, D. K., Kaufman, R. J. & Singh, N. Chiral symmetry breaking in sodium chlorate crystallization. *Science* **250**, 975–976 (1990).
- Reinitzer, F. Beitrage zur kenntniss des cholesterins. *Monatshfte fur Chemie (Wien)* **9**, 421–441 (1888).
- Dierking, I. Chiral liquid crystals: structures, phases, effects. *Symmetry* **6**, 444–472 (2014).
- Link, D. R. *et al.* Spontaneous formation of macroscopic chiral domains in a fluid smectic phase of achiral molecules. *Science* **278**, 1924–1927 (1997).
- Lavrentovich, O. D. & Sergan, V. V. Parity-breaking phase transition in tangentially anchored nematic drops. *Il Nuovo Cimento D* **12**, 1219–1222 (1990).
- Drzaic, P. S. A case of mistaken identity: spontaneous formation of twisted bipolar droplets from achiral nematic materials. *Liq. Cryst.* **26**, 623–627 (1999).
- Press, M. J. & Arrott, A. S. Theory and experiments on configurations with cylindrical symmetry in liquid-crystal droplets. *Phys. Rev. Lett.* **33**, 403–406 (1974).
- Press, M. J. & Arrott, A. S. Elastic energies and director fields in liquid crystal droplets. I. cylindrical symmetry. *J. Phys. Colloques.* **36**, C1-177–C171-184 (1975).
- Williams, R. D. Two transitions in tangentially anchored nematic droplets. *J. Phys. A Math. Gen.* **19**, 3211 (1986).
- Prinsen, P. & Schoot, P. v. d. Parity breaking in nematic tactoids. *J. Phys.: Condens. Matter* **16**, 8835 (2004).
- Pairam, E. *et al.* Stable nematic droplets with handles. *Proc. Natl Acad. Sci. USA* **110**, 9295–9300 (2013).
- Walba, D. M. in *Materials-Chirality* (John Wiley & Sons, Inc., 2003).
- Ávalos, M. n., Babiano, R., Cintas, P., Jiménez, J. L. & Palacios, J. C. Symmetry breaking: an epistemological note. *Tetrahedron: Asymmetry* **15**, 3171–3175 (2004).
- Barron, L. D. in *Chirality at the Nanoscale* (Wiley-VCH Verlag GmbH & Co. KGaA, 2009).
- Drzaic, P. S. *Liquid crystal dispersions* (World Scientific, 1995).
- Kleman, M. & Lavrentovich, O. D. *Soft Matter Physics: an Introduction* (Springer, 2003).
- Frank, F. C. I. Liquid crystals. On the theory of liquid crystals. *Discuss. Faraday Soc.* **25**, 19–28 (1958).
- Jeong, J. *et al.* Chiral structures from achiral liquid crystals in cylindrical capillaries. *Proc. Natl Acad. Sci. USA* **112**, E1837–E1844 (2015).

- Lydon, J. Chromonic mesophases. *Curr. Opin. Colloid Interface Sci.* **8**, 480–490 (2004).
- Lydon, J. Chromonic review. *J. Mater. Chem.* **20**, 10071 (2010).
- Xiao, W. *et al.* Structural correspondence of solution, liquid crystal, and crystalline phases of the chromonic mesogen sunset yellow. *Cryst. Growth Des.* **14**, 4166–4176 (2014).
- Park, H.-S. *et al.* Self-Assembly of lyotropic chromonic liquid crystal sunset yellow and effects of ionic additives. *J. Phys. Chem. B* **112**, 16307–16319 (2008).
- Zhou, S. *et al.* Elasticity of Lyotropic Chromonic Liquid Crystals Probed by Director Reorientation in a Magnetic Field. *Phys. Rev. Lett.* **109** (2012).
- Lonberg, F. & Meyer, R. New ground state for the splay-Fréedericksz transition in a polymer nematic liquid crystal. *Phys. Rev. Lett.* **55**, 718–721 (1985).
- DuPré, D. B. Temperature, concentration, and molecular weight dependence of the twist elastic constant of cholesteric poly- γ -benzyl-L-glutamate. *J. Chem. Phys.* **63**, 143 (1975).
- Lee, S.-D. & Meyer, R. B. Crossover behavior of the elastic coefficients and viscosities of a polymer nematic liquid crystal. *Phys. Rev. Lett.* **61**, 2217–2220 (1988).
- Se, K. & Berry, G. C. Frank elastic constants and Leslie-Ericksen viscosity coefficients of nematic solutions of a rodlike polymer. *Mol. Cryst. Liq. Cryst. Sci. Inc. Nonlinear Opt.* **153**, 133–142 (1987).
- Tortora, L. & Lavrentovich, O. D. Chiral symmetry breaking by spatial confinement in tactoidal droplets of lyotropic chromonic liquid crystals. *Proc. Natl Acad. Sci. USA* **108**, 5163–5168 (2011).
- Jeong, J., Davidson, Z. S., Collings, P. J., Lubensky, T. C. & Yodh, A. G. Chiral symmetry breaking and surface faceting in chromonic liquid crystal droplets with giant elastic anisotropy. *Proc. Natl Acad. Sci. USA* **111**, 1742–1747 (2014).
- Kitzerow, H.-S., Liu, B., Xu, F. & Crooker, P. P. Effect of chirality on liquid crystals in capillary tubes with parallel and perpendicular anchoring. *Phys. Rev. E* **54**, 568–575 (1996).
- Ambrozic, M. & Zumer, S. Chiral nematic liquid crystals in cylindrical cavities. *Phys. Rev. E* **54**, 5187–5197 (1996).
- Yeh, P. & Gu, C. *Optics of Liquid Crystal Displays* (Wiley Publishing, 2009).
- Ondris-Crawford, R. *et al.* Microscope textures of nematic droplets in polymer dispersed liquid crystals. *J. Appl. Phys.* **69**, 6380 (1991).
- Lavrentovich, O. D. & Pergamenschchik, V. M. Patterns in thin liquid crystal films and the divergence (“Surfacelike”) Elasticity. *Int. J. Mod. Phys. B* **09**, 2389–2437 (1995).
- Crawford, G. P., Allender, D. W. & Doane, J. W. Surface elastic and molecular-anchoring properties of nematic liquid crystals confined to cylindrical cavities. *Phys. Rev. A* **45**, 8693–8708 (1992).
- Kralj, S. & Žumer, S. Saddle-splay elasticity of nematic structures confined to a cylindrical capillary. *Phys. Rev. E* **51**, 366–379 (1995).
- Koning, V., van Zuiden, B. C., Kamien, R. D. & Vitelli, V. Saddle-splay screening and chiral symmetry breaking in toroidal nematics. *Soft Matter* **10**, 4192–4198 (2014).
- Mauguin, M. C. Sur les cristaux liquides de Lehmann. *Bull. Soc. Fr. Mineral. Cristallogr.* **34**, 71–117 (1911).
- Ericksen, J. L. in *Advances in Liquid Crystals* (ed. Glenn, H. B.) (Elsevier, 1976).
- Scheinfein, M., Unguris, J., Celotta, R. & Pierce, D. Influence of the surface on magnetic domain-wall microstructure. *Phys. Rev. Lett.* **63**, 668–671 (1989).
- Ohzono, T., Yamamoto, T. & Fukuda, J.-i. A liquid crystalline chirality balance for vapours. *Nat. Commun.* **5**, 3735 (2014).
- Davidson, Z. S. *et al.* Chiral structures and defects of lyotropic chromonic liquid crystals induced by saddle-splay elasticity. *Phys. Rev. E* **91**, 050501 (2015).

Acknowledgements

This work is supported by a grant from the US Office of Basic Energy Sciences, Department of Energy, grant DE-SC0001412. K.N. gratefully acknowledges funding from the Renewable Bio-products Institute fellowship.

Author contributions

M.S. and J.O.P. conceived the study of Chromonics in cylindrical capillaries. R.C., J.F. and K.N. performed the experiments. J.F. and K.N. with help from P.W.E. and A.F.-N. performed the theory/simulations for the observation of chiral symmetry breaking, and all the authors contributed to the writing of the manuscript. All authors approved the final version of the manuscript.

Additional information

Supplementary Information accompanies this paper at <http://www.nature.com/naturecommunications>

Competing financial interests: The authors declare no competing financial interests.

Reprints and permission information is available online at <http://npg.nature.com/reprintsandpermissions/>

How to cite this article: Nayani, K. *et al.* Spontaneous emergence of chirality in achiral lyotropic chromonic liquid crystals confined to cylinders. *Nat. Commun.* 6:8067 doi: 10.1038/ncomms9067 (2015).



This work is licensed under a Creative Commons Attribution 4.0 International License. The images or other third party material in this article are included in the article's Creative Commons license, unless indicated otherwise in the credit line; if the material is not included under the Creative Commons license, users will need to obtain permission from the license holder to reproduce the material. To view a copy of this license, visit <http://creativecommons.org/licenses/by/4.0/>