

this leads to errors: $\epsilon_1 = 0.027 \text{ \AA.}$; $\epsilon_2 = 0.008 \text{ \AA.}$; $\epsilon_3 = 0.002 \text{ \AA.}$. Hence the three dimensional series is seen to be greatly superior in this respect.

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¹ Booth, *Nature*, **156**, 51 (1945).

² Booth, *Proc. Roy. Soc.*, in the press.

³ Bragg and West, *Phil. Mag.*, **10**, 823 (1930).

⁴ van Reigen, *Physica*, **9**, 461 (1942).

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that a thorough study of the transformations in steel will be made by these methods. It appears that thoroughly degassed metal should make a suitable starting point for an investigation.

A fuller account of this work will be published elsewhere.

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Dow Chemical Co.,
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Barrett, C. S., "Structure of Metals" (McGraw-Hill, New York, 1943), 479.

Crystal Structure of Sodium Nitroprusside

SODIUM nitroprusside, $\text{Na}_2\text{Fe}(\text{CN})_5\text{NO}\cdot 2\text{H}_2\text{O}$, crystallizes in the bipyramidal class D_{2h} or mmm (di-digonal equatorial or holoaxial) of the orthorhombic system. The forms exhibited are the {110} primary rhombic prism, the {010} brachy-pinakoid and the {011} primary brachy-domal prism. The crystals are needle-like in habit along the c -axis and the unit cell dimensions determined from rotation photographs are: $a = 11.8 \text{ \AA.}$; $b = 15.52 \text{ \AA.}$; $c = 6.22 \text{ \AA.}$

Absent spectra indicate two n glides of components $\left(\frac{a}{2} + \frac{b}{2}\right)$ and $\left(\frac{b}{2} + \frac{c}{2}\right)$ and the space group is D_{2h}^{12} or $Pnmm$ with four molecules per unit cell.

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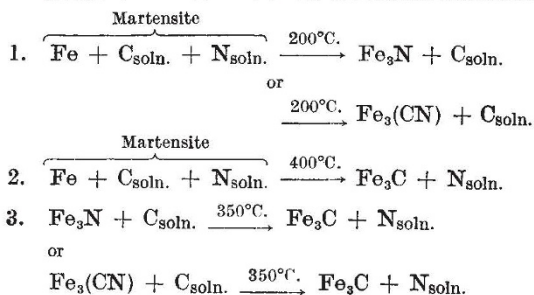
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Decomposition of Martensitic Steel Above and Below 300°C.

DURING the course of an investigation concerning metallurgical structures employing both the electron microscope and electron diffraction reflexion methods, some interesting, and perhaps important, results were obtained with a plain carbon steel. The literature dealing with the tempering of martensite at low temperatures generally assumes that the decomposition below 300°C. produces a very highly dispersed carbide phase¹. It was generally concluded that the carbide particles are so small and are sufficiently deformed by stresses set up during precipitation that a satisfactory X-ray pattern could not be expected.

Electron diffraction reflexion patterns from etched surfaces of a plain carbon steel (0.9 per cent C, 0.15 per cent Si) clearly indicate that martensite aged at 200°C. produces a fine dispersion of hexagonal Fe_3N as a reaction product with no trace of Fe_3C . Above 300°C., the reaction product is found to be Fe_3C , as previously concluded from X-ray studies. Further, a specimen aged first at 200°C. to produce highly dispersed Fe_3N will, upon heating at 350°C., become transformed to Fe_3C . After half an hour at 350°C., the pattern indicates the presence of both Fe_3N and Fe_3C . It appears that at low temperatures Fe_3N is the stable product, while above 300°C., Fe_3C is the equilibrium product. A nitrogen analysis of the samples gave 0.0056 per cent N.

The data are too meagre for any conclusions as to mechanism, but it is of interest to speculate on the decomposition reactions. The following sequence of reactions is offered as a possible mechanism.



The determination of specific rates and activation energies is possible by means of electron diffraction and will be essential in understanding the decomposition.

The surface preparation of the samples which produced satisfactory results was briefly as follows: (1) specimen abraded through 4/0 metallographic paper; (2) electrolytically polished; (3) etched 60-90 sec. in a solution of 2 per cent hydrochloric acid and 1 per cent ferric chloride in methanol; (4) rinsed in the following sequence of solutions: (a) 50:50 acetone-methanol plus 0.5 per cent formic acid; (b) 50:50 acetone-methanol; (c) dry benzene. (5) dried in blast of clean, dry air. The surfaces so produced are sufficiently clean to yield good electron diffraction patterns and electron microscope pictures.

The patterns were taken with a camera employing a 75 cm. plate-specimen distance and using 40 kV. electrons. Measurements from the patterns as compared to X-ray powder results make the identification quite certain.

The first results indicate that the use of electron diffraction may greatly aid in investigating metallurgical transformations where very small quantities of the reaction products are concerned. It is hoped

Molecular Weight and Polydispersity of Rubber by Diffusion Measurements

THE study of diffusion in solutions of natural rubber (light crepe) by Lamn's¹ method showed that even with a concentration of 0.1 per cent the normalized experimental diffusion curves diverge from the ideal Gaussian curve (Fig. 1), being characterized by a marked asymmetry and an excess of the maximal ordinate. It follows from an analysis of the experimental curves by the method of moments (up to moments of the fourth order) that they belong to Type IV Pearson curves, that is, to asymmetrical distribution curves with asymptotic branches. The determination of the perturbation multiplier enables us to calculate the course of the experimental curves with a fair degree of accuracy. The physical cause of asymmetry of the diffusion curves is the difference in the rate of diffusion to both sides of the interface (of the polymer into the solvent and back) due to a marked intermolecular interaction in the solution of the polymer at a given concentration. With a decrease of the concentration or of the molecular weight of the dissolved substance, the asymmetry of the diffusion curves becomes less pronounced. However, this asymmetry does not preclude the computation of the average diffusion coefficient D from the standard deviation of the curve. It can indeed be shown that the probable error does not exceed 1 per cent. The average value found for natural rubber in carbon tetrachloride is $D_{20} = 0.71 \times 10^{-7} \text{ cm.}^2/\text{sec.}$

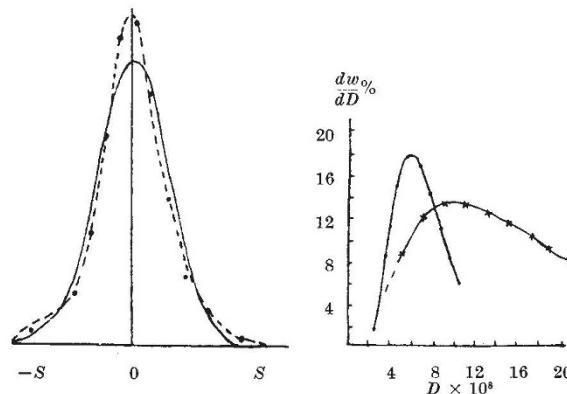


Fig. 1. Gaussian curve (full line); experimental curve (broken line); calculated points (dots).

Fig. 2. Curves for natural rubber (dots) and natural rubber after thermal destruction (crosses).

The asymmetry of the rubber molecules was calculated from the viscosity of rubber solutions by Simha's equation², the applicability of which for the computation of the ratio (b/a) of even highly asymmetrical particles with $b/a = 70-90$ has been verified experimentally with nitrocellulose³. The flexibility of the rubber molecules is here of no particular significance, as under the conditions of the experiment the forces of flow are below the critical value necessary for the deformation of the molecular coil⁴. Computation shows that for natural rubber ($b/a = 117-120$ and $(f/f_0) = 4.35-4.40$). By combining the values of D and (f/f_0) by Polson's method⁵, we find that at a concentration of 0.116 per cent the molecular weight of natural rubber is $M = 830,000$. Lansing and Kraemer's figure obtained⁶ by the ultracentrifugation method for a 0.05 per cent solution is $M = 400,000-435,000$. In both cases there undoubtedly occurs aggregation in the solution. Extrapolation of these results to $G = 0$ gives M equal to 130,000-150,000, which is presumably the true molecular weight of natural rubber. Figures very close to this were obtained for natural rubber twice precipitated from a carbon tetrachloride solution by excess of alcohol, namely, $D_{20} = 0.66 \times 10^{-7} \text{ cm.}^2/\text{sec.}$; $b/a = 123$; $f/f_0 = 4.45$; $M = 970,000$ (at a concentration 0.135 per cent). After thermal destruction of rubber caused by exposure for three hours to 140°C. in air the molecular characteristics changed abruptly: $D_{20} = 1.6 \times 10^{-7} \text{ cm.}^2/\text{sec.}$; $b/a = 88$; $f/f_0 = 3.85$; $M = 103,000$ (for a 0.135 per cent solution).

The following are the figures obtained for an industrial specimen of divinyl synthetic rubber: $D_{20} = 2.1 \times 10^{-7} \text{ cm.}^2/\text{sec.}$; $b/a = 65$; $f/f_0 = 3.31$; $M = 73,000$ (for a 0.112 per cent solution); the normalized diffusion curve has in this case a quite symmetrical character.

A comparison with the results of calculation of M from Staudinger's equation ($K_m^{\text{carb. tetrachl.}} = 3 \times 10^{-4}$) showed that at $M \sim 100,000$ and less this equation gives good agreement with M , whereas with $M \sim$